

Recap of McLerran-Venugopalan (MV) model.

- study of small- x gluon field in large nucleus.



* longitudinal coherent length of such gluons can be much larger than the size of nucleus.

- momentum scale associated with small- x gluons

$$k^2 \sim \Lambda_{QCD}^2 A^{1/3} \Rightarrow \Lambda_{QCD}^2$$

↳ Classical field!

- large- x partons serve as classical source.

How we calculated it:



quark

antiquark

1) source $\rho_{cov}^a(\vec{x}) = \sum_{a=1}^{N_c-1} \tau^a \rho_{cov}^a(\vec{x})$

2) Classical Yang-Mills equation $D_\mu \vec{F}^{\mu\nu} = J^\nu$

same for gluon field A_{cov}

3). Gauge transformation $A^{LC} = S A^{cov} S^{-1} - \frac{i}{g} (\partial_\mu S) S^{-1}$

Result:

$$= \vec{E} = \vec{E} = \vec{E}$$

Alternative:

$$\rho_{1c} = S \rho_{0c} S^{-1}$$

↳ continuous density approach

When calculating physical observables, one has to integrate over all charge densities with some weight function $W[\rho_{1c}]$. Valence quarks are independent, W has to be Gaussian.

$$W = \exp \left\{ - \int dx_{1\perp}^2 \int_{-\infty}^{\infty} dx_{1\perp}^- \frac{\text{tr}[\rho_{1c}^2(x_{1\perp}^-, x_{1\perp}^-)]}{u^2(x_{1\perp}^-, x_{1\perp}^-)} \right\}$$

$$\langle \hat{O}_p \rangle = \frac{\int D\rho_{1c} \hat{O}_p W[\rho_{1c}]}{\int D\rho_{1c} W[\rho_{1c}]}$$

Jalilian-Marian - Iancu - McLerran - Weigert - Leonidov - Kovner evolution equation.

- quantum corrections to the classical MV model.
- Includes the small- x evolution in the wave function of the target.
- $W[\rho_{1c}] \rightarrow W_Y[\rho_{1c}]$
- Small- x evolution: $Y \rightarrow Y + dY$.

the gluons at Y become large- x gluons, and are incorporated into a source of classical fields.

- Color Glass Condensate (CGC)