

# Lecture 3

- The Price Level
- Real vs. Nominal Quantities
- The Quantity Theory of Money

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- The Price Level
  - Real vs. Nominal Quantities
  - The Quantity Theory of Money
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- Paper (Fiat) money valuable only because it will buy stuff.
  - How is its purchasing power measured and determined?

# The Price Level

## CPI-U

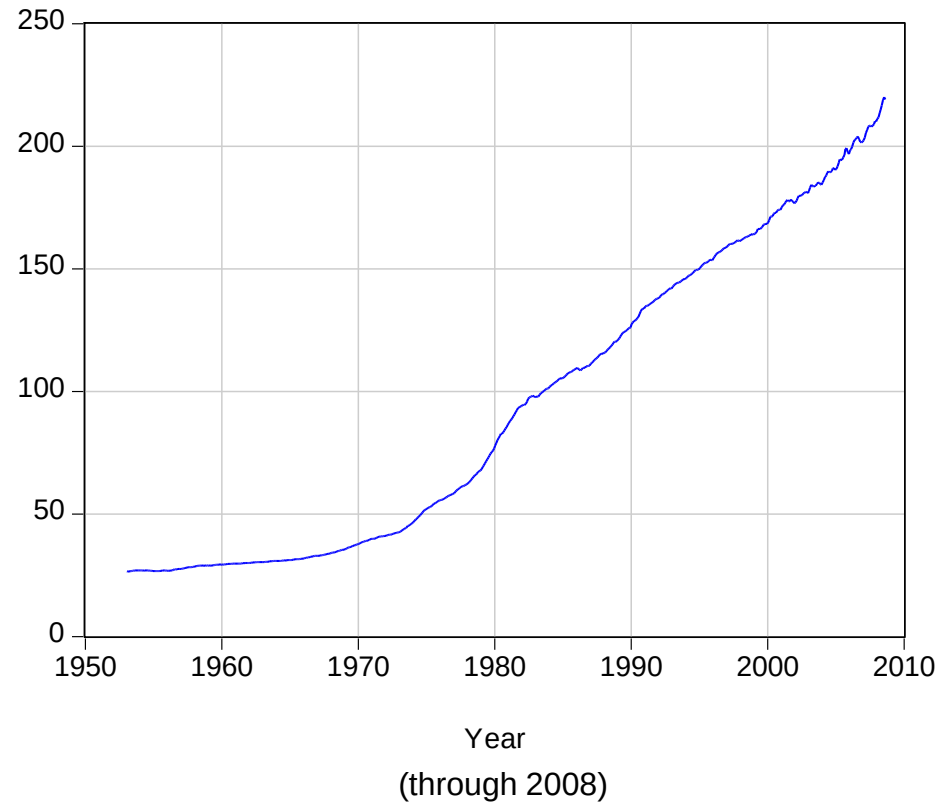
Consumer Price Index for All Urban Consumers

Base year

|        | 1982-4 = 100 | 1967 = 100 |
|--------|--------------|------------|
| 8/11   | 226.5        | 678.6      |
| 8/10   | 218.3        | 654.0      |
| 8/09   | 215.8        | 646.5      |
| 1982-4 | 100.0        | 299.5      |
| 1967   | (33.4)       | 100.0      |

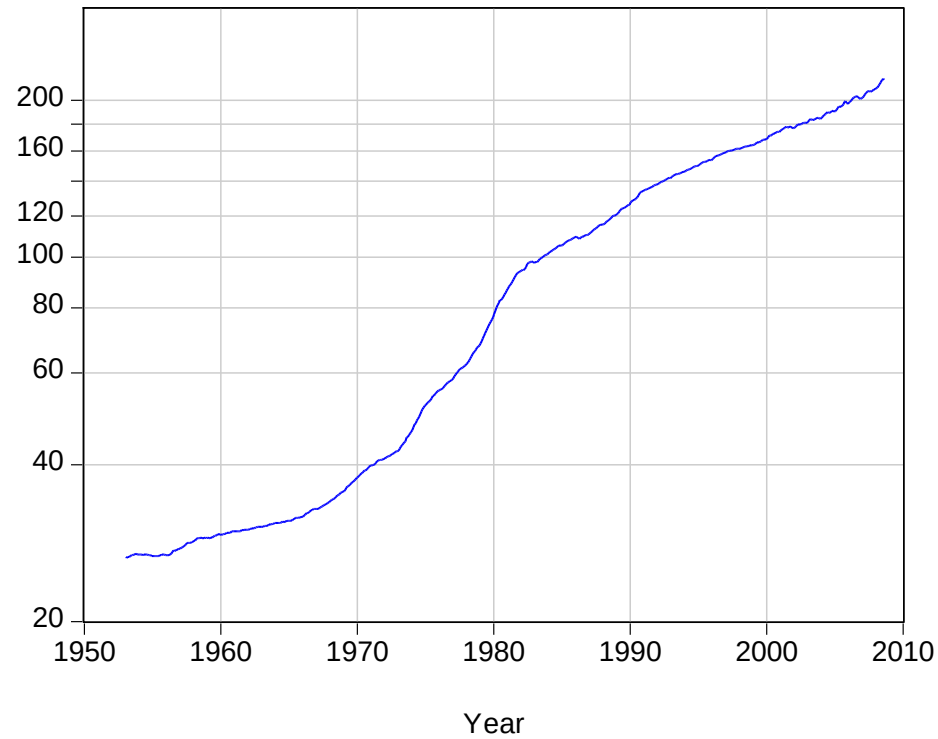
- CPI computed monthly by Bureau of Labor Statistics (BLS) in US Dept. of Labor ([stats.bls.gov](http://stats.bls.gov))
- Is final on release, has 1 month computation lag.

CPI-U  
1982-84 = 100  
Linear Scale



Growth rates hard to visualize with linear scale  
Logarithmic scale better for this purpose.

CPI-U  
1982-84 = 100  
Logarithmic Scale



(through 2008)

With logarithmic scale, slope indicates growth rate.  
CPI grew faster 1968-82 than before or after.

Inflation = rate of growth of price level.

$P_t$  = Price level in year t

$P_{t-1}$  = Price level in year t-1

$$\pi = \frac{\Delta P}{P} = \frac{P_t - P_{t-1}}{P_{t-1}} = \text{annual inflation rate}$$

$\Delta$  (Delta) indicates change in variable.

Deflation = negative inflation

= rate of decline of price level.

Less common than inflation.

8/10 – 8/11 (1982-4 = 100):

$$\pi = \frac{226.5 - 218.3}{218.3} = .038 = 3.8\% \text{ annual inflation}$$

8/09 – 8/10:

$$\pi = \frac{218.3 - 215.8}{215.8} = .012 = 1.2\% \text{ annual inflation}$$

Same  $\pi$  with any Base Year (within rounding error):

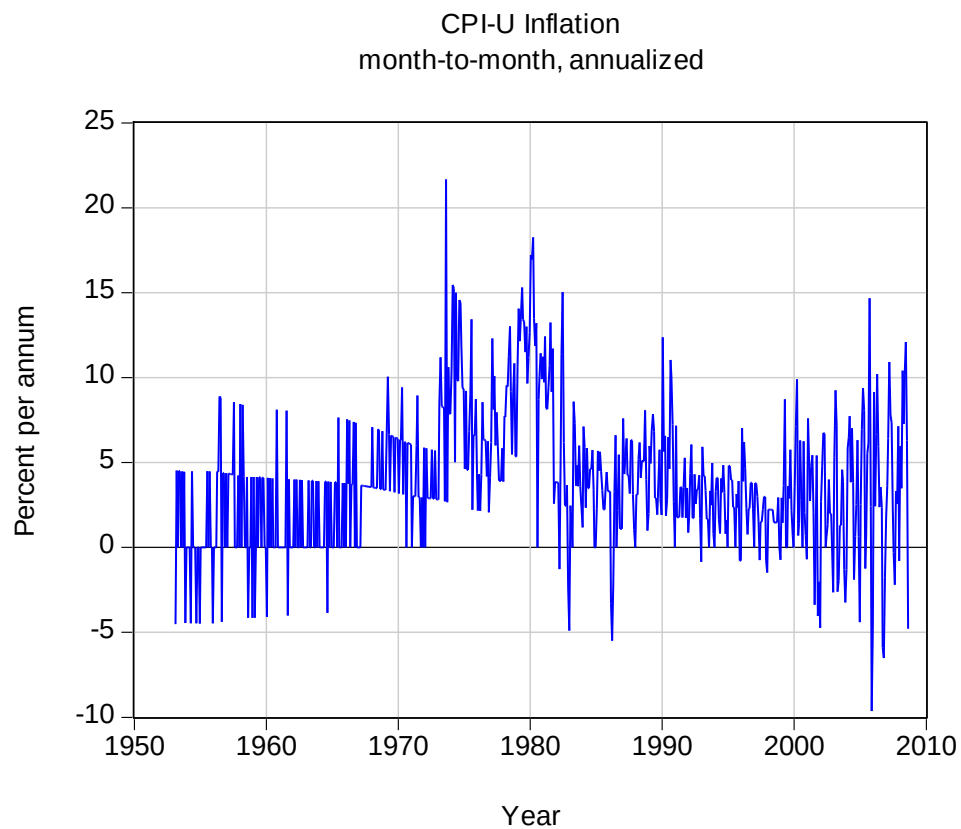
8/10 – 8/11 (1967 = 100):

$$\pi = \frac{678.6 - 654.0}{654.0} = .038 = 3.8\% \text{ annual inflation}$$

8/09 – 8/10:

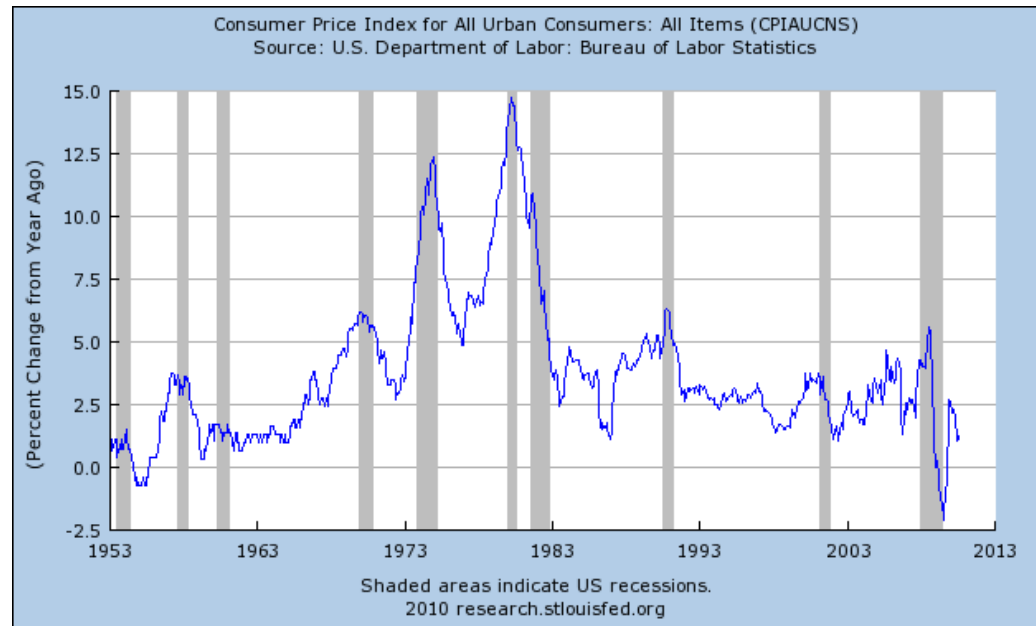
$$\pi = \frac{654.0 - 646.5}{646.5} = .012 = 1.2\% \text{ annual inflation}$$

Month-to-month  $\pi$  is mostly noise, rounding error:





Year-over-year inflation is more meaningful,  
shows considerable persistence from yr to yr:



Inflation was in double digits, 1973-74, 1979-81.

- Why?
- Could this ever recur?

Inflation was negative, 2008-9.

- Is this a big problem?
- Is it likely to continue?

# GARFIELD 1978



# GARFIELD 1978



# Boskin Congressional Commission Report, 1996

Says CPI-U overstated “true” inflation by about  
1.1%/yr (0.8 – 1.6%)

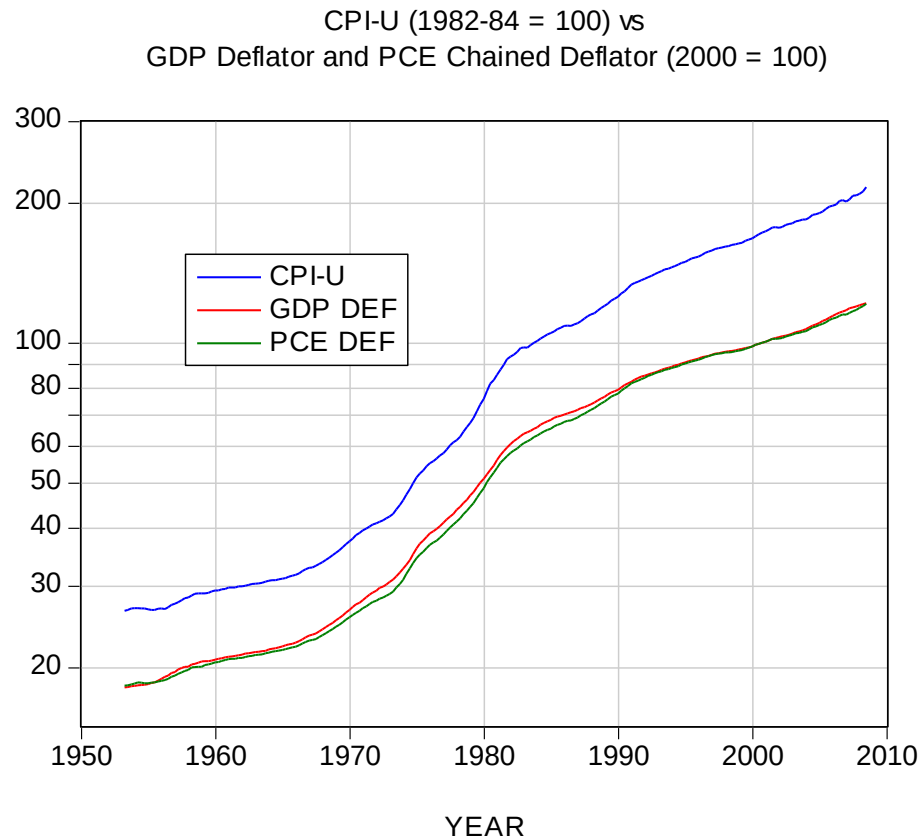
- 0.6% due to new products, eg
  - computers
  - cell phones
  - DVD players
- 0.4% due to substitution away from goods whose prices have increased.
  - eg gas  $\uparrow$   $\rightarrow$  less driving, better fuel economy
- 0.1% due to shopping locations
  - eg Wal-Mart

Some improvements made, but Fed now prefers  
PCE Deflator to CPI-U

# Other Price Indices (Commerce Dept.)

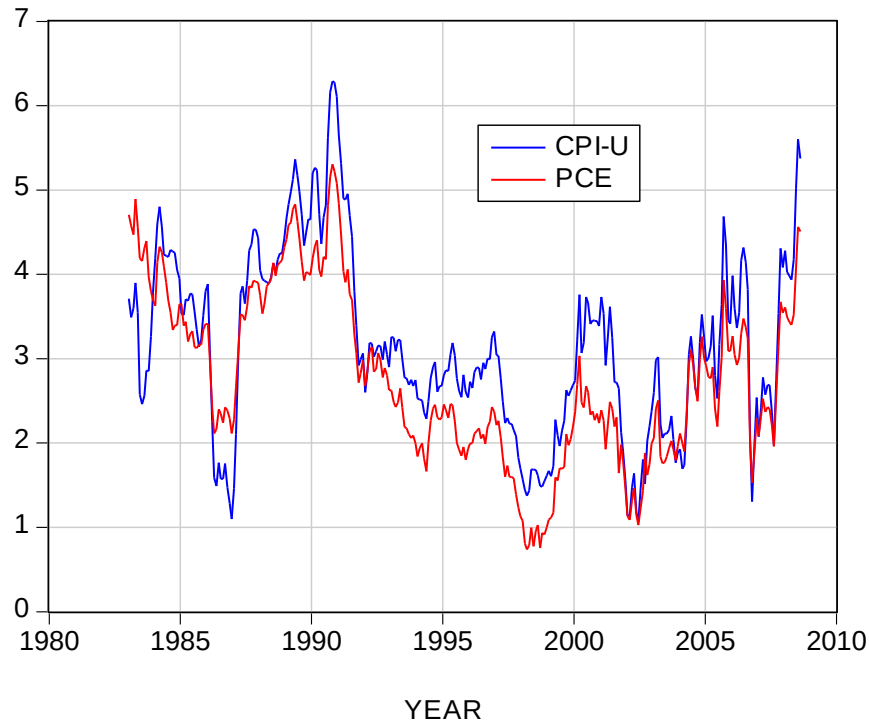
- GDP Deflator
  - Gross Domestic Product
  - Base Year = 2005 currently
    - was 2000, 1996, 1987, etc.
  - Quarterly, revised after first release.
- PCE Deflator
  - Personal Consumption Expenditures
  - Base Year same as GDP Deflator
  - Monthly, revised after first release
- Producer Price Indices (PPIs)
  - Wholesale Prices
  - Base Year = 1982 currently
  - Monthly, released before CPI, but noisy.

GDP, PCE Deflators very similar to one another.  
Both tell similar story to CPI-U



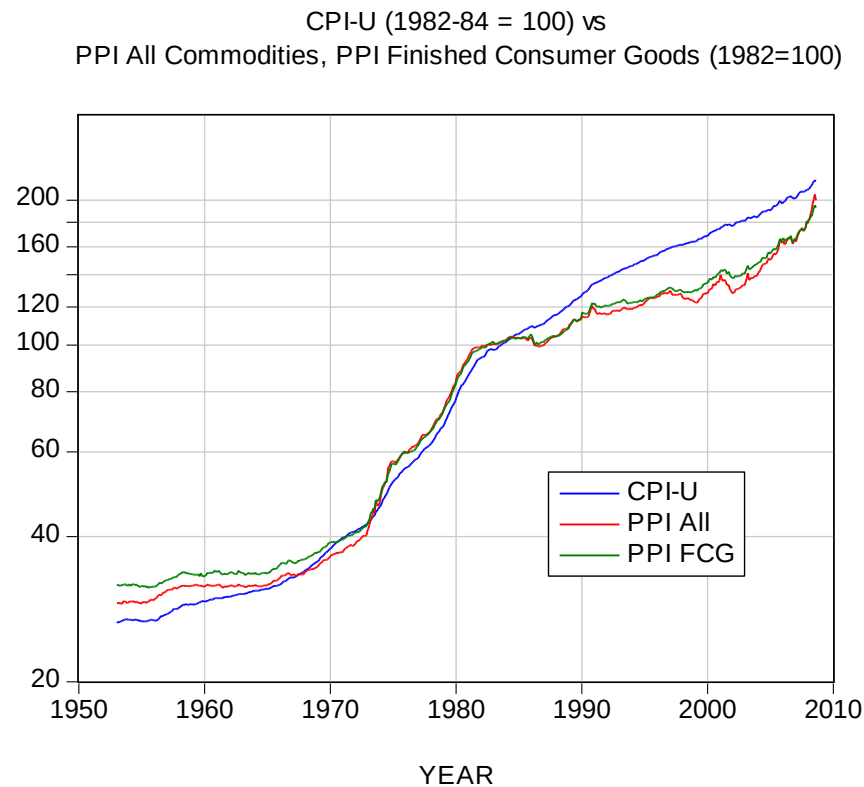
- CPI-U inflation averages **0.40%/yr more** than PCE inflation, otherwise similar, since 1983 CPI upgrade.
- Final CPI-U available on first release, **PCE must wait months or years for final version.**

CPI-U vs PCE Inflation,  
1983-2008 (year-over-year)  
CPI-U inflation averages 0.40%/yr more than PCE inflation



⇒ good estimate of final PCE  $\pi$  is CPI  $\pi$ , minus 0.40%!

- PPI inflation noisy, may differ substantially from CPI-U, PCE inflation.
- PPI for Finished Consumer goods doesn't include services or retail markups that are in CPI.





# Real vs. Nominal Quantities

Nominal – Current (year  $t$ ) \$

Real – Base year (year  $t_0$ ) \$

$P_t$  = Price Index

$Y_t$  = Nominal Income (upper case)

$y_t = Y_t \cdot P_0 / P_t$  = Real Income (lower case)  
(in year  $t_0$  \$)

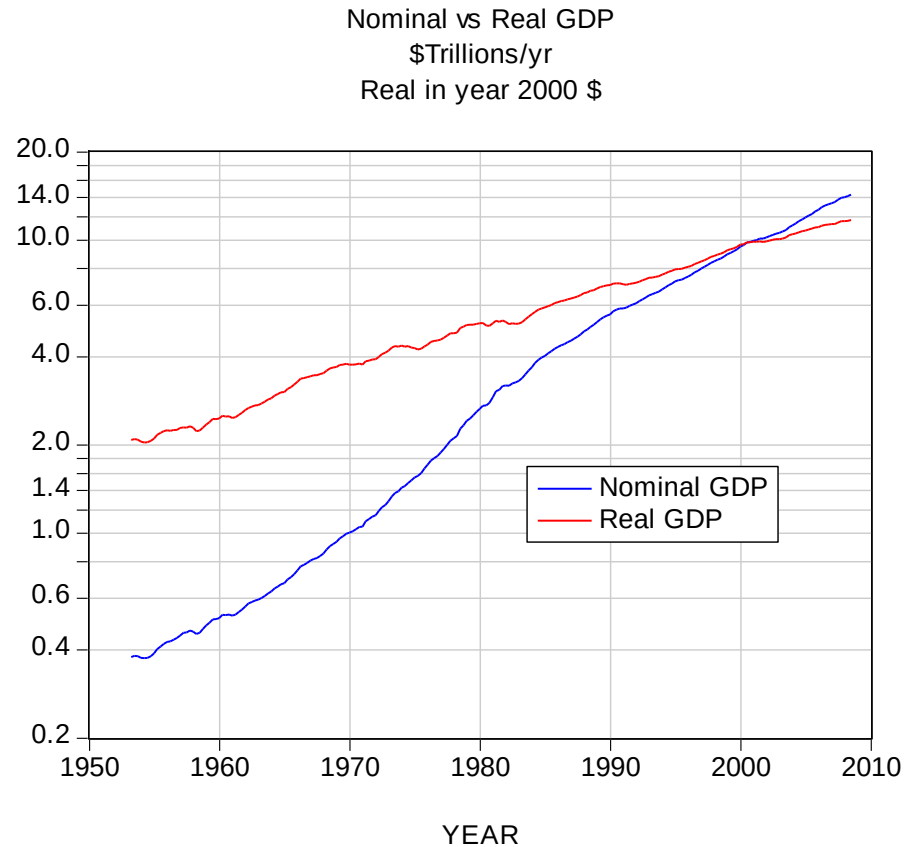
To simplify, we often take  $P_0 = 1.00$ . Then,

$$y_t = Y_t / P_t \quad \text{or} \quad y = Y / P$$

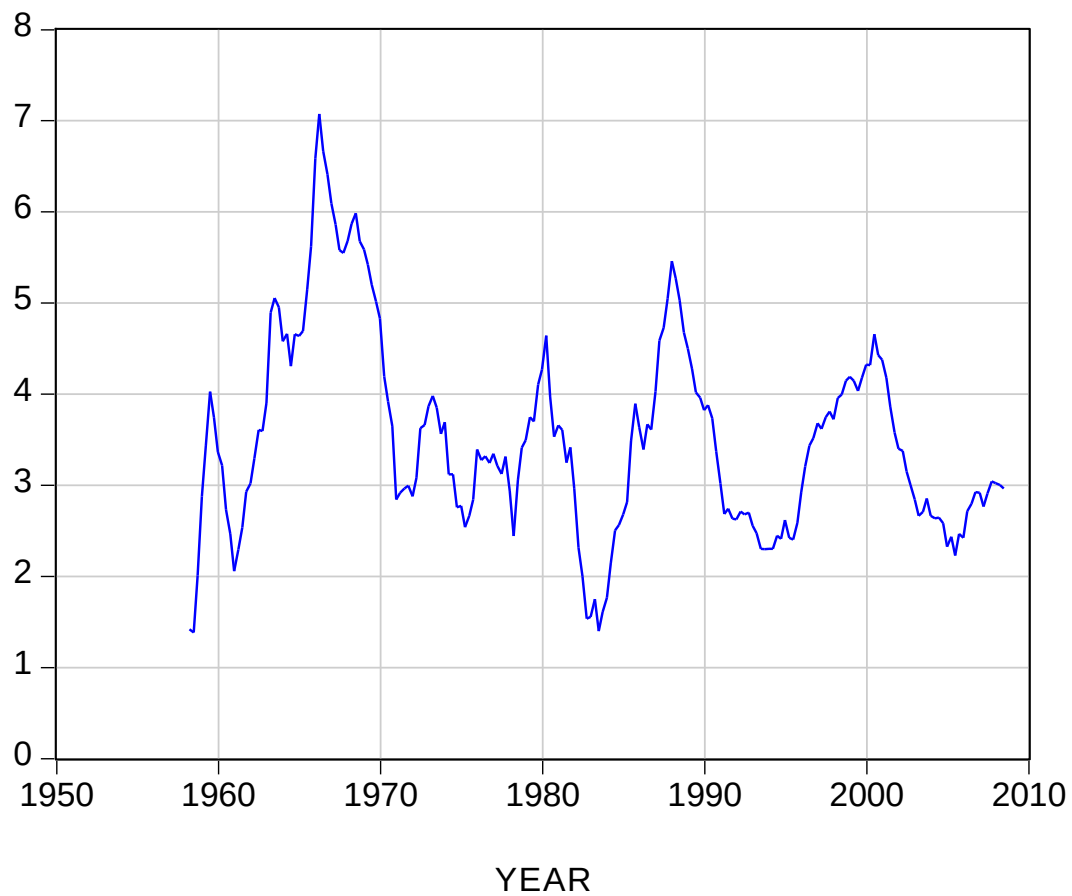
Similarly, if  $M_t$  = Nominal Money Stock (upper case),

$m_t = M_t / P_t = M / P$  = Real Money Stock (lower case).

Most of growth in nominal income has just been inflation.  
Real income usually grows fairly steadily at 2 – 4% / yr.



Real GDP Growth Rate  
5-year trailing average, annual percentages  
Avg = 3.24%/yr.



# The Quantity Theory of Money

(M&I Ch. 2)

- $M^S$  = Nominal M Stock
  - supplied by govt, banks
- $m^D$  = Real M Demand
  - determined by
    - real volume of transactions using M
    - average time M held
- $P^*$  = Equilibrium P-level at which  $S = D$ :

$$M^S / P^* = m^D \quad \text{or} \quad M^S = P^* m^D$$

$$\Rightarrow P^* = M^S / m^D \quad \text{QTOM}$$

- QTOM asserts

$$P \rightarrow P^* \quad \text{in Long Run.}$$

# Implications of QTOM

$$P \rightarrow P^* = M^S / m^D$$

- If  $m^D$  constant,  
 $M^S \uparrow \rightarrow P \uparrow, \quad M^S \downarrow \rightarrow P \downarrow$
- If  $M^S$  constant,  
 $m^D \uparrow \rightarrow P \downarrow, \quad m^D \downarrow \rightarrow P \uparrow$
- If  $M^S, m^D \uparrow$  or  $\downarrow$  in same proportion,  
 $P$  constant.

# The Ripple Effect

- Placing rock in pond raises level uniformly.
  - Dropping rock in pond causes splash, ripples
    - but eventually level rises uniformly.
  - $M \uparrow$  disturbs relative prices at first.
    - sellers whose  $P$ 's rise before their cost of living goes up gain from  $\pi$ .
    - sellers whose  $P$ 's rise after their cost of living goes up lose from  $\pi$ .
- $\Rightarrow$  Inflation induces transfer from “last in line” to “first in line”

This is one of 3 income transfers that may be caused by inflation. (more later)

# Walras' Law

Budget Constraints imply

Agg D = Agg S, even at non-equil. P's.

$$\text{so } D_{\text{goods}} + m^D = S_{\text{goods}} + M^S / P,$$

$$M^S / P - m^D = D_{\text{goods}} - S_{\text{goods}}, \text{ or}$$

$$\boxed{XS \text{ S of M} = XS \text{ D for Goods}} \quad (XS = \text{excess})$$

## Implications of Walras' Law:

$$XS \text{ of } M = XS \text{ D for Goods}$$

**1.  $M^S / P > m^D$       ( $P < P^* = M^S / m^D$ )**

$$\Rightarrow D_{\text{goods}} > S_{\text{goods}}$$

$\Rightarrow P \uparrow$  on average until  $P = P^*$

**2.  $M^S / P < m^D$       ( $P > P^* = M^S / m^D$ )**

$$\Rightarrow S_{\text{goods}} > D_{\text{goods}}$$

$\Rightarrow P \downarrow$  on average until  $P = P^*$

Either way,  $P \rightarrow P^*$  in Long Run, per QTOM



- HW 2 due Fri 5 PM.
- Next:
  - Interest rates: nominal vs. real
  - M&B 6, 8, 19 pp. 1-3,
  - M&I 4.1, 7.1