

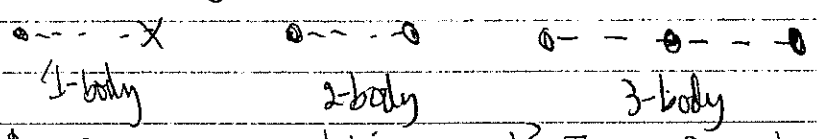
Plazza: many RG-related questions added in anticipation (and already prepared).  
 Remains a very large backlog that I will chip away at over the next week.

11/12/14

Wednesday 8805 Class

- Recap discussion of spectral densities
- display ⇒ C. Polone spectral density SCGF.pdf
- ⇒ Lehmann (spectral) representation of one-particle (or single-particle) Green's function (aka two-point function)
- Spectral function is the imaginary part of the Green's function (same as discontinuity)
- ⇒ pages 6 and 7 of 11/10/14 notes
- \* Question: What parts of the spectral function are measurable? (eg. with  $(e, e' p)$ )
- highlight slides on 2014 ect 3nt carbone.pdf
- 4-8 self-consistency

- What vertex (4-pt) function is used at the HF level?
- Note the different symbols for the one-body, two-body, and three-body parts of the Hamiltonian:

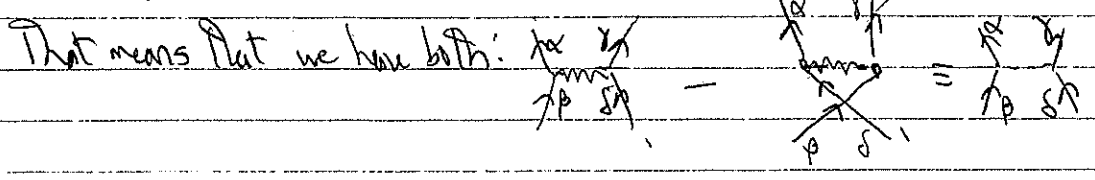


Is the 3-body representation general? Eg. is there always an interior point?

Tricky feature: Interactions are anti-symmetrized, which

means  $\uparrow$  includes Hartree and Fock:  $\uparrow$  +  $\uparrow$  (we know from  $H = \dots + \frac{1}{4} \sum_{\alpha\beta\gamma\delta} V_{\alpha\beta\gamma\delta} a_{\alpha}^{\dagger} a_{\beta}^{\dagger} a_{\gamma} a_{\delta}$  would be  $\rightarrow$   $\frac{1}{2}$  otherwise)

$V_{\alpha\beta\gamma\delta} \equiv \langle \alpha\delta | V | \beta\gamma \rangle - \langle \alpha\delta | V | \beta\gamma \rangle$  with no factor



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So  $\begin{array}{c} \uparrow \\ \text{p} \uparrow \\ \text{---} \\ \text{s} \end{array} \begin{array}{c} \uparrow \\ \text{s} \\ \text{---} \\ \text{s} \end{array} = \begin{array}{c} \uparrow \\ \text{p} \uparrow \\ \text{---} \\ \text{s} \end{array} \begin{array}{c} \uparrow \\ \text{s} \\ \text{---} \\ \text{s} \end{array} - \begin{array}{c} \uparrow \\ \text{s} \\ \text{---} \\ \text{p} \uparrow \end{array}$

On slide 7 of 2014\_et\_3nf\_carbone.pdf we see that if we work in the HF approximation,  $\Gamma_{\text{p},\text{p}}^{\text{p},\text{p}} \equiv 0$  (not included)

- Look at slides 10-16 to see components including 3NF.

- Look at "Kottus sum rule" on 25-30

- Closed diagrams as in linked cluster expansion
- The trick is to get the numerical factors (weights of each diagram) correct. (eg. symmetry factors)
- $f(x)$  is a Fermi-Dirac function  $\Rightarrow \theta$  function at Fermi energy for  $T=0$ .

- Emphasis: self-consistency sums many higher-order effects but in a way that preserves conservation laws  $\Rightarrow$  "conserving approximations"

- Now switch gears and talk about interactions.

- Start with HUGS lecture 1

Prereqs: 4,5

Playground: 7  $\rightarrow$  mention Piazza questions with a similar figure

Nuclear Scales and Resolution: 16, 17, 21-47, 53-65

- Then HUGS lecture 2

- Basics of SRG start on 16
- Weinberg eigenvalues start on 77

- Lecture 6 47-49  $\Rightarrow$  what parts of wls can be extracted without assumptions from experiment?