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Microwave and Millimeter Wave Spectra of Hydrazoic Acid*

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Five rotational transitions have been recorded for each of the abundant species of hydrazoic acid and hydrazoic acid-d. Both molecules have normal centrifugal distortion behavior. The spectroscopic constants derived from the measurements are

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\begin{array}{l} {\rm HN_{\odot}-A_0=615,600\pm7000~Mc/sec,~B_0=12,034.15\pm0.09~Mc/sec,}\\ {C_0=11,781.51\pm0.09~Mc/sec,~D_{JK}=787.8\pm5.4~kc/sec,}\\ {D_J=5.09\pm0.54~kc/sec,~H_{JKK}=-1.13\pm0.15~kc/sec,}\\ {H_{JJK}=0.03\pm0.03~kc/sec.}\\ {\rm DN_{\odot}-A_0=351,500\pm7000~Mc/sec,~B_0=11,350.23\pm0.05~Mc/sec,}\\ {C_0=10,965.48\pm0.05~Mc/sec,~D_{JK}=442.6\pm2.4~kc/sec,}\\ {D_J=4.22\pm0.17~kc/sec,~H_{JKK}=-0.21\pm0.08~kc/sec,}\\ {H_{JJK}=-0.03\pm0.02~kc/sec.} \end{array}
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An important part of the study was a reinvestigation of the $J=0 \rightarrow 1$ transition of HN₄ which gave $eq_{aa}Q=+4.65\pm0.25$ Mc/sec for the NH nitrogen N¹⁴ nucleus.

I. INTRODUCTION

In a recent paper (1) we described the mysterious centrifugal distortion effects which were found in the millimeter wave spectra of isocyanic acid, HNCO, and isothiocyanic acid, HNCS. The only other stable pseudohalogen acid which has a close structural resemblance to these two molecules is hydrazoic acid, HN_3 (see Fig. 1), which makes it a logical selection for study if further information on centrifugal stretching behavior in this type of slightly asymmetric rotor is to be obtained. The main idea behind the present work was therefore to see how the somewhat more asymmetric molecules HN_3 and DN_3 would compare with HNCO, DNCO, HNCS, and DNCS as regards centrifugal distortion.

II. EXPERIMENTAL

For almost all of the observations the apparatus used was the same as that in the HNCO-HNCS investigation and as described previously (2). Frequency

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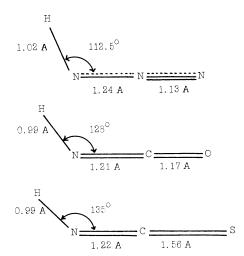


Fig. 1. Molecular structural parameters of hydrazoic, isocyanic, and isothiocyanic acids.

measurements in the millimeter wave region were made between 60,000 and 180,000 Mc/sec (0.17–0.50 mm). The frequencies were checked against the WWV 5 Mc/sec standard signal and are considered to be accurate to about 0.25 Mc/sec. During the measurements the gas in the absorption cell was maintained at a pressure of about 10⁻² mm of mercury and at a temperature of -78°C. When making accurate measurements of the quadrupole hyperfine splitting in the rotational spectrum of HN₃ a standard Stark modulation spectrometer was employed, operating close to 23,815 Mc/sec. A 0–500 volt square wave generator working at 91 kc/sec provided the modulation.

Hydrazoic acid was most commonly prepared by the action of phosphoric acid, made by dissolving phosphorus pentoxide in water, on sodium azide, NaN₃. However, sulfuric, acetic, and stearic acids were also used with satisfactory results. Hydrazoic acid-d was made by reacting the sodium azide with deutero-phosphoric acid, produced by refluxing a P₂O₅–D₂O mixture for three days at 90°. This gave a much better yield of DN₃ than that obtained by using deutero-stearic acid, prepared by exchanging C₁₇H₃₅COOH with D₂O, because of the low solubility of this acid in water.

III. FREQUENCIES AND ROTATIONAL CONSTANTS

Five a-type, R-branch, rotational transitions were recorded for the ground vibrational state of each of the species HN_3^{14} and DN_3^{14} . They were:

$$\text{HN}_3^{14}: J = 0 \to 1, 3 \to 4, 4 \to 5, 5 \to 6, \text{ and } 6 \to 7$$

 $\text{DN}_3^{14}: J = 2 \to 3, 3 \to 4, 4 \to 5, 5 \to 6, \text{ and } 7 \to 8.$

The calculated and observed frequencies for these transitions are listed in Table I and II. The values of total angular momentum quantum number, F,

are given only when the quadrupole hyperfine splitting could be resolved. Where F is not given the splitting was too small for the separate components to be seen and, in such a case of high J and low K, the observed frequency was assumed to correspond to the strongest line in the pattern. Negligible error is produced by this assumption.

TABLE I. ${\rm HN_3}$ Line Frequencies

Transition	K	Observed Frequency (Mc/sec)	Calculated Frequency (Mc/sec)
$J = 0 \rightarrow 1$			
$0_{00} - 1_{01}$ F = 1 - 0	0	23,813.55	23,813.34
F = 1 - 2	0	23,815.58	23,815.37
F = 1 — 1	0	23,817.04	23,816.83
$J = 3 \rightarrow 4$			
$\frac{J = 3 \rightarrow 4}{3_{03} - 4_{04}}$	0	95,260.50	95,260.57
3 ₁₂ -4 ₁₃	1	95,760.15	95,760.24
3 ₁₃ - 4 ₁₄	1	94,749.42	94,749.51
$\int \mathbf{F} = 3 - 4$	2	95,237.03	95,237.24
$\begin{vmatrix} 3_{21} - 4_{22} & \begin{cases} F = 3 - 4 \\ F = 4 - 5 \\ F = 2 - 3 \end{vmatrix}$			
$\int \mathbf{F} = 2 - 3$	≻ 2	95,236.17	95,236.38
$\left[F = 3 - 4 \right]$			
322-423			
$ \begin{cases} F = 3 - 4 \\ 3_{22} - 4_{23} \\ F = 4 - 5 \\ F = 2 - 3 \end{cases} $	2	95, 235. 45	95,235.66
j			
$3_{30} - 4_{41}$ F = 3 - 4	3	95,205.12	95.205.28
$\begin{bmatrix} 3_{30} - 4_{41} \\ 3_{31} - 4_{32} \end{bmatrix} F = 3 - 4$ $F = 4 - 5$ $F = 2 - 3$	≻ 3 I	95, 203. 10	95,203.26
	<u> </u>		

TABLE I. ${\rm HN}_3$ Line Frequencies (continued)

Transition	K	Observed Frequency (Mc/sec)	Calculated Frequency (Mc/sec)
<u>J = 4 → 5</u>			
$4_{04} - 5_{05}$	0	119,074.12	119,074.17
4 ₁₃ - 5 ₁₄	1	119,698.95	119,699.09
4 ₁₄ — 5 ₁₅	1	118,435.82	118,435.96
4 ₂₂ -5 ₂₃	2	119,044.95	119,045.48
4 ₂₃ -5 ₂₄	2	119,043.41	119,043.94
$\begin{bmatrix} 4_{31} - 5_{32} \end{bmatrix}$ F = 4 - 5	3	119,004.33	119,004.82
$ \begin{vmatrix} 4_{31} - 5_{32} \\ 4_{32} - 5_{33} \end{vmatrix} F = 4 - 5 $ $F = 5 - 6 $ $F = 3 - 4 $	> 3	119,003.46	119,003.95
$\begin{bmatrix} 4_{40} - 5_{41} \\ 4_{41} - 5_{42} \end{bmatrix}$	4	118,946.42 ^a	118,946.35
$J = 5 \rightarrow 6$		·	
5 ₀₅ - 3 ₀₆	0	142,886.92	142,386.78
5 ₁₄ - 6 ₁₅	1	143,637.49	143,637.28
5 ₁₅ - 6 ₁₆	1	142, 121. 48	142,122.70
523-624	2	142,853.84	142,854.16
5 ₂₄ - 6 ₂₅	2	142,851.03	142,851.10
$\left[\begin{array}{c} 5_{32} - 6_{33} \\ 5_{33} - 6_{34} \end{array}\right]$	3	142,803.67	142,803.88

TABLE I. ${\rm HN}_3$ Line Frequencies (continued)

Transition	K	Observed Frequency (Mc/sec)	Calculated Frequency (Mc/sec)
$J = 5 \rightarrow 6$ (continued)			
	4	142,735.63	142,735.61
41 42 F = 6 - 7	1	112, 700.00	112, 100.01
$ \begin{bmatrix} 5_{41} & 6_{42} \\ 5_{42} & 6_{43} \end{bmatrix} F = 5 - 6 F = 6 - 7 F = 4 - 5 $	4	142,734.66	142,734.64
$\begin{bmatrix} 5 & 6 & 6 \\ 5 & 6 & 6 \end{bmatrix}$	5	142,644.26 ^a	142,644.36
⁵ 51 ⁻⁶ 52			
$J = 6 \rightarrow 7^{b}$			
6 ₀₆ 7 ₀₇	0	166,698.40	166,698.20
6 ₁₅ -7 ₁₆	1	167,575.07	167,574.96
6 ₁₆ - 7 ₁₇	1	165,806.33	165,806.22
6 ₂₄ 7 ₂₅	2	166,662.05	166,662.20
6 ₂₅ — 7 ₂₆	2	166,657.66	166,657.76
6 ₃₃ -7 ₃₄	3	166,602.85	166,602.91
6 ₃₄ -7 ₃₅		100, 002.00	100,002.01
6 ₄₂ -7 ₄₃			
643-744	4	166, 522. 79	166, 522.54
6 ₅₁ - 7 ₅₂			
$\left[6_{52} - 7_{53}\right]$	5	166, 416. 76	166, 416. 86

^a Line too weak for hyperfine structure to be resolved.

 $^{^{\}rm b}$ K = 6 component is too weak to be observed.

TABLE II. ${\rm DN_3}$ Line Frequencies

Transition		K	Observed Frequency (Mc/sec)	Calculated Frequency (Mc/sec)
J = 2 →3				
2 ₀₂ -3 ₀₃		0	66,945.50	66,945.40
2 ₁₁ -3 ₁₂		1	67,520.75	67, 520.82
2 ₁₂ 3 ₁₃		1	66,366.68	66,366.75
2 ₂₀ - 3 ₂₁	F = 2 - 3	2	66,938.71	66,938.54
$2_{20} - 3_{21}$ $2_{21} - 3_{22}$	F = 3 - 4 $F = 2 - 3$	2	66,937.27	66,937.10
$\begin{bmatrix} 21 & 22 \\ 2_{20} - 3_{21} \\ 2_{21} - 3_{22} \end{bmatrix}$		2 ^a	66,935.94	66,935.77
J = 3 → 4				
3 ₀₃ -4 ₀₄		0	89,258.55	89,258.51
3 ₁₂ -4 ₁₃		1	90,026.99	90,027.05
3 ₁₃ - 4 ₁₄		1	88,488.03	88,488.09
3 ₂₁ — 4 ₂₂	F = 3 - 4	2	89,251.21	89,251.10
	F = 4 - 5 $F = 2 - 3$	2	89,250.42	89,250.31
3 ₂₂ - 4 ₂₃	F = 3 - 4	2	89,247.84	89,247.73
2- 00	F = 4 - 5 $F = 2 - 3$	2	89,247.11	89,247.00

TABLE II. ${\rm DN_3}$ Line Frequencies (continued)

Transition	K	Observed Frequency	Calculated Frequency
		(Mc/sec)	(Mc/sec)
$J=3 \rightarrow 4$ (continued)			
$\begin{bmatrix} 3_{30} - 4_{31} \end{bmatrix}$ F = 3 - 4	3	89,231.45	89,231.59
$ \begin{vmatrix} 3_{30} - 4_{31} \\ 3_{31} - 4_{32} \end{vmatrix} F = 3 - 4 F = 4 - 5 F = 2 - 3 $	3	89,229.74	89,229.88
J = 4 → 5			
4 ₀₄ — 5 ₀₅	0	111,569.92	111,569.93
4 ₁₃ —5 ₁₄	1	112,532.50	112,532.44
4 ₁₄ —5 ₁₅	1	110,608.76	110,608.70
$4_{22} - 5_{23}$ F = 4 - 5	2	111,564.81	111,564.72
F = 5 - 6 $F = 3 - 4$	2	111,564.52	111,564.43
$4_{99} - 5_{94}$ $F = 4 - 5$	2	111,558.09	111,558.00
F = 5 - 6 $F = 3 - 4$	2	111,557.82	111,557.73
$\begin{bmatrix} 4_{31} - 5_{32} \end{bmatrix}$ F = 4 - 5	3	111,537.86	111,537.98
$ \left\{ \begin{array}{c} F = 5 - 6 \\ 4_{00} - 5_{00} \end{array} \right\} $ $F = 3 - 4 $	3	111,536.98	111,537.10
$\begin{bmatrix} 32 & 33 \\ 4_{40} - 5_{41} \end{bmatrix}$ F = 4 - 5	4	111,506.13	111,506.52
$F = 5 - 6$ $F = 3 - 4$ $4_{31} - 5_{32}$ $F = 4 - 5$ $F = 5 - 6$ $4_{32} - 5_{33}$ $F = 3 - 4$ $4_{40} - 5_{41}$ $F = 4 - 5$ $F = 5 - 6$ $F = 3 - 4$ $F = 5 - 6$ $F = 3 - 4$	4	111,504.67	111,505.06
[-41			

TABLE II. DN_3 Line Frequencies (continued)

Transition	K	Observed Frequency (Mc/sec)	Calculated Frequency (Mc/sec)
J = 5 → 6			
5 ₀₅ - 6 ₀₆	0	133,879.14	133,879.21
5 ₁₄ -6 ₁₅	1	135,036.98	135,036.82
5 ₁₅ -6 ₁₆	1	132,728.67	132,728.51
5 ₂₃ - 6 ₂₄	2	133,879.14	133,879.13
5 ₂₄ -6 ₂₅	2	133,867.80	133,867.79
$\begin{bmatrix} 5_{32} - 6_{33} \\ 5_{33} - 6_{34} \end{bmatrix}$	3	133,844.21	133,844.15
$\begin{bmatrix} 5 & 54 \\ 5_{41} - 6_{42} \\ 5_{42} - 6_{43} \end{bmatrix}$	4	133,805.16	133, 305.64
$\begin{bmatrix} 5_{50} - 6_{51} \\ 5_{51} - 6_{52} \end{bmatrix}$	5	133, 756. 98	133,756.36
J = 7 → 8 b			
707 - 808	0	178,489.31	178, 489. 64
7 ₁₆ -8 ₁₇	1	180,042.27	180,042.41
7 ₁₇ - 8 ₁₈	1	176, 964. 18	176,964.32
725 - 826	2	178,512.13	178,511.81
7 ₂₆ — 8 ₂₇	2	178, 484. 73	178, 484. 41

TABLE II. DN.	Line	Frequencies	(continued)
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Transition	K	Observed Frequency (Mc/sec)	Calculated Frequency (Mc/sec)
$J = 7 \rightarrow 8^b$ (continued)			
$\begin{bmatrix} 7_{34} - 8_{35} \\ 7_{35} - 8_{36} \end{bmatrix}$	3	178,456.64	178,456.34
$\begin{bmatrix} 7_{43} - 8_{44} \\ 7_{44} - 8_{45} \end{bmatrix}$	4	178,404.21	178,404.09
7 ₅₂ - 8 ₅₃ 7 ₅₃ - 8 ₅₄	5	178, 337. 49	178, 337. 79

The component $2_{21} \rightarrow 3_{22}$, $F = 1 \rightarrow 2$ was too weak to be observed.

To obtain the calculated frequencies of Tables I and II the following procedure was adopted:

- (a). A correction for the very slight degree of asymmetry was applied to the observed frequencies. The magnitude of this correction for a particular line was calculated from the observed splitting of the components with $K_{-1}=2$ in the observed transition with the highest J for the molecule, i.e., for HN₃ the splitting of the lines $6_{24} \rightarrow 7_{25}$ and $6_{25} \rightarrow 7_{26}$ and for DN₃ the splitting of $7_{25} \rightarrow 8_{26}$ and $7_{26} \rightarrow 8_{27}$. Such a pair of K=2 components are equally affected by quadrupole splitting.
- (b). A correction for the nuclear quadrupole effects was made to each of the frequencies obtained from (a) above using the value ± 4.65 Mc sec for the main N¹¹ coupling constant (see Section IV below).
 - (c). The frequencies from (b) were subjected to a least squares fit to the

b The components K = 6 and 7 were too weak to be observed.

formula

$$\nu = (B_0 + C_0)(J+1) - 2 D_{JK} K^2(J+1) - 4 D_J (J+1)^3 + 2 H_{JJK} K^2 (J+1)^3 + 4 H_{JKK} K^4(J+1) + H_{JJJ} (J+1)^3 [(J+2)^3 - J^3]$$
 (1)

using an IBM 7072 computor. Here $(B_0 + C_0)$ has replaced 2 B_0 in the exactly symmetric top expression. The effect of the H_{JJJ} term was found to be negligibly small so it was neglected in order to simplify the computer program. This program gave calculated frequencies which were corrected back to give the calculated frequencies of Tables I and II. The same program gave also values for $(B_0 + C_0), D_J, D_{JK}, H_{JJK}$, and H_{JKK} . The magnitude of the quantity $(B_0 - C_0)$ was found from the separations of the K=1 components, $(B_0 - C_0)(J+1)$. The rotational and centrifugal distortion constants for HN₃ and DN₃ are shown in Table III. A separate program was used to invert the 5×5 normal equations matrix of the least squares analysis so as to obtain the errors in the derived constants.

No absorption peaks which could be attributed to rotational transitions of vibrational excited molecules were observed even when the absorption cell was allowed to warm to room temperature.

IV. NUCLEAR QUADRUPOLE EFFECTS

In an earlier investigation of the $J=O\to 1$ transition of HN_3 (3) it was reported that the observed quadrupole pattern could be accounted for in terms of a single N^{14} nucleus with eqQ = -4.67 Mc sec. For the transitions observed in the millimeter wave region, which involve higher J values, the hyperfine splitting is only sufficient to separate the strong component $F = J \rightarrow J + 1$ from the other two intense components $F = J + 1 \rightarrow J + 2$ and $F = J - 1 \rightarrow J$ which could not be resolved and thus appear as a single line. Such a separation into two observed lines occurs only for the higher K-components. In the present millimeter wave observations the splitting between the $F = J \rightarrow J + 1$ component and the combined components $F = J + 1 \rightarrow J + 2$ and $F = J - 1 \rightarrow J$ was always too small to measure with any accuracy and the uncertainty in the exact position of $F = J + 1 \rightarrow J + 2$ and $F = J - 1 \rightarrow J$ lines makes it difficult to get a good eqQ value from the measurements. However the relative intensities of the two lines observed in such a case are directly related to the sign of this main quadrupole coupling constant, and in all cases where partial resolution was possible the intensities were such as to indicate the sign to be positive. To confirm this suggestion a Stark modulation spectrometer was used to reinvestigate the $J=0 \rightarrow 1$ of HN_3 . Splitting into three hyperfine components, two of which showed broadening due to a second nitrogen nucleus, was easily achieved (see Fig. 2). Measurement of the tops of the peaks gave a value of $\pm 4.65~{
m Me}$ sec for the largest ${
m N}^{14}$ quadrupole coupling constant.

TABLE III. Spectroscopic Constants of HN_3 and DN_3

Constants	5	HN ₃		DN ₃	
B ₀ + C ₀	(Mc/sec)	23,815.66	<u>+</u> 0.08	22,315.71 <u>+</u> 0.0	03
B _o - C _o	(Mc/sec)	252.65	<u>+</u> 0.05	384.74 <u>+</u> 0.0	03
Во	(Mc/sec)	12,034.15	<u>+</u> 0.09	11,350.23 <u>+</u> 0.0	05
I,	(amu A ²)	42.00803	<u>+</u> 0.00029	44.53929 <u>+</u> 0.0	00017
Co	(Mc/sec)	11,781.51	<u>+</u> 0.09	10,965.48 <u>+</u> 0.0	05
I c	(amu A ²)	42.90886	<u>+</u> 0.00030	46.10202 <u>+</u> 0.0	00018
Ao	(Mc/sec)	615,600	<u>+</u> 7000	351,500 <u>+</u> 700	00
Ia	(amu A ²)	0.8212	<u>+</u> 00092	1.4382 ± 0.0	0281
δ	(amu A ²)	0.0796		0.1245	
(I _c - I _b -	I a)				
${ m D_{JK}}$	(kc/sec)	7 87 . 8	<u>+</u> 5.4	442.6 <u>+</u> 2.4	4
D_{J}	(kc/sec)	5.09	<u>+</u> 0.54	4.22 <u>+</u> 0.1	17
H _{JKK}	(kc/sec)	-1.13	<u>+</u> 0.15	-0.21 ± 0.0	3C
$\mathrm{H}_{\mathrm{JJK}}$	(kc/sec)	0.03	<u>+</u> 0.03	-0.03 ± 0.0	20
bp		-20.9 x 10	5	-56.0 x 10 ⁻⁵	
×		-0.99916		-0.99774	
eq _{aa} Q	(Mc/sec)	+4.65	<u>+</u> 0.25		
(NH nitro	ogen)				

The positive sign for the main coupling constant shows that in HN_3 the N^{14} nucleus responsible for the largest splitting has an entirely different electronic environment from the N^{14} in HCN, CH₃CN, BrCN or NH₃ where eqQ (N^{14}) is near to -4 Mc sec in each molecule (4). The value of eqQ for the terminal nitrogen of N_2O , a molecule with a similar heavy atom arrangement to HN₃ and also isoelectronic with it, is -1.03 Mc sec (5) and the central nitrogen in the same molecule has eqQ = -0.27 Mc sec (6). It is evident therefore that the eqQ of

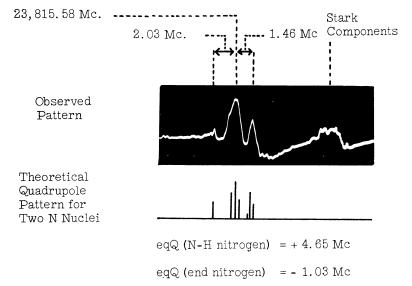


Fig. 2. The $J=0\to 1$ transition of HN₃, showing the main quadrupole splitting, due to the NH nitrogen N¹¹ nucleus.

 $+4.65~{\rm Mc/sec}$ in HN₃ can only be that of the NH nitrogen nucleus. The value can be compared to eqQ=+1.2 and $+2.00~{\rm Mc/sec}$ for the N¹⁴ nucleus in HNCS and HNCO respectively (7). When obtaining the calculated pattern of Fig. 2 it was assumed that the terminal nitrogens in N₂O and HN₃ have the same electronic environment. Our conclusion concerning the assignment of the $+4.65~{\rm Mc/sec}$ coupling constant in HN₃ has recently been confirmed by a high resolution study conducted by Forman and Lide (8) on the same transition of HN₃, $J=0\rightarrow 1$. By using N¹⁵ substituted species they were able to observe independently the quadrupole effects of the NH and end nitrogens and obtained the $eq_{aa}Q$ values +4.85 and $-1.35~{\rm Mc/sec}$, respectively, for these two nuclei.

The most important contributing electron structures for HN₃ are

$$\overrightarrow{HN} - \overset{+}{N} \equiv \overrightarrow{N}$$
 and $\overrightarrow{HN} = \overset{+}{N} = \overset{-}{N}$.
(A)

Taking the NH nitrogen to have tetrahedral hybridization in (A) and trigonal hybridization in (B), putting the screening factor (1 + c) = 1.25 (4), and assuming 15% ionic character for the NH bond (9) in both (A) and (B) then the number of unbalanced p-electrons for each structure is estimated to be

$$U_p(A) = +0.41$$
 and $U_p(B) = +0.09$.

The N—H bond lengths (Fig. 1) indicate approximately 44% weight for Struc-

ture (A) neglecting, however, any effect which the separated charges may have on the internuclear distances. The over-all U_p is thus estimated to be

$$U_{p(\text{total})} = +0.23.$$

Comparison of this figure with the observed quantity +4.85 Mc/sec for the coupling constant of the NH nitrogen gives the value -21 Mc/sec for the coupling constant per unbalanced p-electron, eq_{210} Q, for the N¹⁴ nucleus.

This value does not compare well with that obtained by using a similar procedure on the ammonia molecule. If the same values of (1+c) and ionic character are used as above and 18% s-character is attributed to the bonding orbitals then for NH₃ it is estimated that

$$U_{p(\text{total})} = -0.43.$$

The observed eqQ (N⁴⁾ for ammonia is -4.084 Mc sec (10) which, together with the value -0.43 for U_p gives eq_{210} $Q(N^{14})$ as -9.5 Mc sec. Correspondence between this value and the one found from the above calculations on HN_3 is clearly unsatisfactory. The different signs of U_p for NH₃ and for the NH nitrogen of HN_3 do, however, agree with the experimental facts.

If simple considerations are applied to the end nitrogen of HN₃, yet another value of eq_{210} $Q({\rm N}^{14})$ results. Assuming that the electrons which contribute significantly to U_p are in two $p\pi$ orbitals and sp bonding and sp antibonding orbitals with 50% s-character, for both Structure (A) and Structure (B) then we find that for the end nitrogen:

$$U_{\rho(\text{total})} = -0.22.$$

The observed eq_{aa} Q for this nitrogen (8) is -1.35 so these two figures correspond to a value of -6.1 Mc sec for eq_{210} $Q(N^{14})$. It is clear therefore that although these simple treatments give consistent results as regards the sign of eq_{210} $Q(N^{14})$, something more is needed to produce quantitative agreement.

V. CENTRIFUGAL DISTORTION

The millimeter wave spectra of the six molecules HNCS, DNCS, HNCO, DNCO, HN₃ and DN₃ have now been investigated and appear to fall into two classes (Fig. 3.)

HNCO, HN₃, and DN₃ all behave normally with respect to centrifugal stretching in that asymmetry and quadrupole corrected frequencies for each molecule obey the relationship of Eq. (1). In each of these three cases D_{JK} is positive.

DNCO, HNCS, and DNCS are abnormal. Equation (1) is not a satisfactory expression for the frequencies in the rotational spectra of these three molecules and also D_{JK} appears to have a negative sign.

It is strange that the most symmetric molecule of the six, HNCS, (see Table IV) fits worst to the symmetric top relation Eq. (1) while the most asymmetric

molecule, DN_3 , fits best. It is also interesting that the K-pattern reversal takes place between HNCO and DNCO but not between HNCS and DNCS or HN_3 and DN_3 . Again there appears to be no special relation between the precise amount of asymmetry and the centrifugal stretching behavior exhibited. DNCO

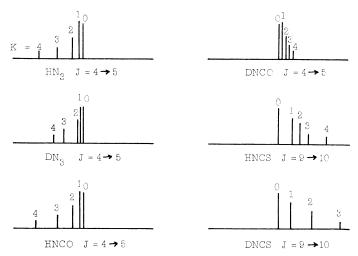


Fig. 3. Centrifugal distortion effects in the millimeter wave spectra of hydrazoic, isocyanic, isothiocyanic acids and their deuterated forms. The observed frequencies have been corrected for the small quadrupole and asymmetry effects.

TABLE IV. Asymmetry Parameters for Isocyanic, Isothiocyanic and Hydrazoic Acids.

Molecule	ь _р х 10 ⁵	К
HNCS	-1.28	-0.99995
DNCS	-3.85	-0.99985
HNCO	- 3.49	-0.99966
DNCO	-22.3	-0.99911
HN3	-20.9	-0.99916
DN ₃	-56.0	-0.99774

and HN_3 have about the same asymmetry but opposite patterns. The only qualitative conclusion is that the behavior over the series of six molecules seems to be opposite of the usual increase in symmetric top characteristics with decreasing asymmetry. The very large a-axis components of angular momentum are the most likely cause of these apparent anomalies (1).

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