LING4400: Lecture Notes 12 Eventualities

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12.1 Eventualities [Davidson, 1967, Bach, 1986]

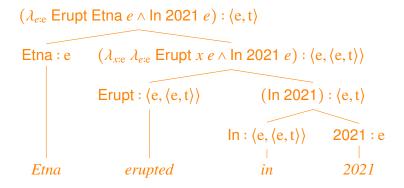
We have reasons to treat **eventualities** (events and states) like entities.

- 1. First, we constrain them with modifiers like we constrain descriptions of entities:
 - (1) a. Etna erupted in 2021. b. (entailed by 1a:) Etna erupted.
 - or (circuited by fair) Error or aprecia
- 2. Second, we describe them explicitly like entities in **nominalizations**:
 - (2) a. Etna erupted in 2021.b. (entails and entailed by 2a:) An eruption of Etna was in 2021.

This similarity is modeled by adding an argument to verbs and other predicates – type $\langle e, \langle e, t \rangle \rangle$:

$$\llbracket \mathsf{Erupt} \rrbracket^M = \llbracket \lambda_{x:e} \ \lambda_{e:e} \ \mathsf{Erupt} \ x \ e \rrbracket^M$$

Modifiers of these events can be composed using the schematized modifier rules:

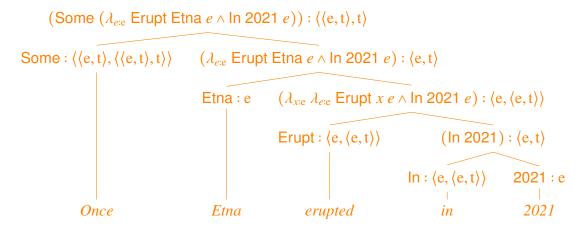


Practice 12.1: trees with rules

Label the tree for *Etna erupted in 2021* with rules.

Note that the variable *e* above is not quantified.

We can quantify it with an adverb *Once*, translated as Some. For example:



This extends naturally to other cardinal quantifiers: twice as Two, never as None, etc.

If we don't have an explicit quantifier, we can assume an implicit one:

$$f: \langle e, t \rangle \Rightarrow (Some f): \langle \langle e, \gamma_n \rangle, \gamma_n \rangle$$
 (Existential Closure)

This is sometimes called **existential closure**.

For isolated sentences we need an additional closure operation to get a truth value:

$$g: \langle \langle e, t \rangle, t \rangle \Rightarrow (g(\lambda_{e:e} \text{True})): t$$
 (Nuclear Scope Closure)

For example:

(Some
$$(\lambda_{e:e} \text{ Erupt Etna } e \land \text{In 2021 } e) \ (\lambda_{e:e} \text{ True})) : t$$

(Some $(\lambda_{e:e} \text{ Erupt Etna } e \land \text{In 2021 } e)) : \langle \langle e, t \rangle, t \rangle$

$$(\lambda_{e:e} \text{ Erupt Etna } e \land \text{In 2021 } e) : \langle e, t \rangle$$

Etna : e $(\lambda_{x:e} \lambda_{e:e} \text{ Erupt } x e \land \text{In 2021 } e) : \langle e, \langle e, t \rangle \rangle$

Erupt : $\langle e, \langle e, t \rangle \rangle$ $(\text{In 2021}) : \langle e, t \rangle$

$$| \text{In : } \langle e, \langle e, t \rangle \rangle$$
 2021 : e

Etna $| \text{Etna} \rangle$ $| \text{Etn$

This analysis treats quantified sentences like quantified noun phrases, for use as arguments.

Practice 12.2: trees with rules

Label the complete tree for *Etna erupted in 2021* with rules.

12.2 Further decomposition (lexical semantics)

Many transitive predicates can be further decomposed into a cause and an intransitive predicate:

- (3) a. *The Constitution sank the Guerriere*. b. (entailed by 3a:) *The Guerriere sank*.
- Here's the translation:

$$(\text{Some } (\lambda_{e:e} \text{ Cause } e \text{ Constitution} \land \text{ Sink Guerriere } e) \ (\lambda_{e:e} \text{ True})) : t$$

$$(\text{Some } (\lambda_{e:e} \text{ Cause } e \text{ Constitution} \land \text{ Sink Guerriere } e)) : \langle \langle e, t \rangle, t \rangle$$

$$(\lambda_{e:e} \text{ Cause } e \text{ Constitution} \land \text{ Sink Guerriere } e) : \langle e, t \rangle$$

$$(\lambda_{x:e} \lambda_{e:e} \text{ Cause } e \text{ } x \land \text{ Sink Guerriere } e) : \langle e, \langle e, t \rangle \rangle$$

$$(\lambda_{y:e} \lambda_{x:e} \lambda_{e:e} \text{ Cause } e \text{ } x \land \text{ Sink } y \text{ } e) : \langle e, \langle e, t \rangle \rangle \rangle$$

$$(\lambda_{y:e} \lambda_{x:e} \lambda_{e:e} \text{ Cause } e \text{ } x \land \text{ Sink } y \text{ } e) : \langle e, \langle e, t \rangle \rangle \rangle$$

$$(\lambda_{y:e} \lambda_{x:e} \lambda_{e:e} \text{ Cause } e \text{ } x \land \text{ Sink } y \text{ } e) : \langle e, \langle e, t \rangle \rangle \rangle$$

$$(\lambda_{y:e} \lambda_{x:e} \lambda_{e:e} \text{ Cause } e \text{ } x \land \text{ Sink } y \text{ } e) : \langle e, \langle e, t \rangle \rangle \rangle$$

$$(\lambda_{y:e} \lambda_{x:e} \lambda_{e:e} \text{ Cause } e \text{ } x \land \text{ Sink } y \text{ } e) : \langle e, \langle e, t \rangle \rangle \rangle$$

$$(\lambda_{y:e} \lambda_{x:e} \lambda_{e:e} \text{ Cause } e \text{ } x \land \text{ Sink } y \text{ } e) : \langle e, t \rangle \rangle$$

The intransitive predicate can then occur by itself as an **unaccusative** verb:

```
(\text{Some } (\lambda_{e:e} \text{ Sink Guerriere } e) \ (\lambda_{e:e} \text{ True})) : t
(\text{Some } (\lambda_{e:e} \text{ Sink Guerriere } e)) : \langle \langle e, t \rangle, t \rangle
(\lambda_{e:e} \text{ Sink Guerriere } e) : \langle e, t \rangle
(\text{Guerriere } : e) \quad (\lambda_{x:e} \lambda_{e:e} \text{ Sink } x \ e) : \langle e, \langle e, t \rangle \rangle
The Guerriere \quad sank
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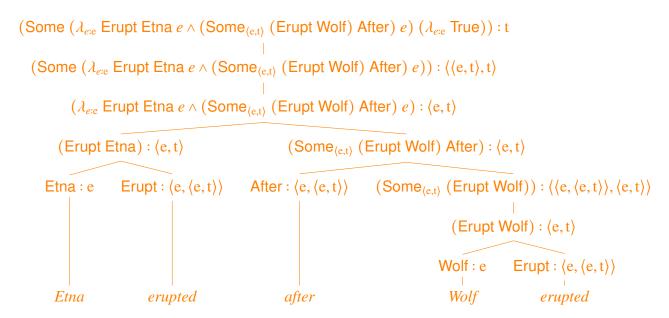
The transitive and intransitive need not be the same verb:

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kill \Rightarrow (\lambda_{y:e} \ \lambda_{x:e} \ \lambda_{e:e} \ Cause \ e \ x \land Die \ y \ e) : \langle e, \langle e, \langle e, t \rangle \rangle \rangle

give \Rightarrow (\lambda_{z:e} \ \lambda_{y:e} \ \lambda_{x:e} \ \lambda_{e:e} \ Cause \ e \ x \land Have \ z \ y \ e) : \langle e, \langle e, \langle e, \langle e, t \rangle \rangle \rangle \rangle
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12.3 Quantified sentences as arguments

This treatment provides a simple analysis for sentential arguments analogous to noun phrases:



Practice 12.3: trees with rules

Label the tree for *Etna erupted after Wolf erupted* with rules.

12.4 Tense

We can use eventualities to carry tense, assuming an entity Now for the beginning of the speech.

For example, here's a present tense function (schematized for use with an intransitive verb):

$$[\![\mathsf{Present}_{(e,t)}]\!]^M = [\![\lambda_{f:(e,(e,t))} \ \lambda_{x:e} \ \lambda_{e:e} \ f \ x \ e \land \mathsf{In} \ e \ \mathsf{Now}]\!]^M$$

And here's one for past tense, assuming Precede with its usual meaning:

$$\llbracket \mathsf{Past}_{\langle e, \mathsf{t} \rangle} \rrbracket^M = \llbracket \lambda_{f: \langle e, \langle e, \mathsf{t} \rangle \rangle} \ \lambda_{x:e} \ \lambda_{e:e} \ f \ x \ e \land \mathsf{Some} \ (\mathsf{In} \ e) \ (\mathsf{Precede} \ \mathsf{Now}) \rrbracket^M$$

So here's what the translation looks like:

$$(\mathsf{Past}_{\langle \mathsf{e},\mathsf{t}\rangle} \; \mathsf{Erupt} \; \mathsf{Etna}) : \langle \mathsf{e},\mathsf{t}\rangle$$

$$\mathsf{Etna} : \mathsf{e} \qquad (\mathsf{Past}_{\langle \mathsf{e},\mathsf{t}\rangle} \; \mathsf{Erupt}) : \langle \mathsf{e},\langle \mathsf{e},\mathsf{t}\rangle\rangle$$

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12.5 Non-intersective modifiers

Remember our trouble with *new capital*:

- (4) a. Beijing is a new capital.
 - b. (entailed by 4a:) Beijing is a capital.
 - c. (**not** entailed by 4a:) *Beijing is new*.

as opposed to *coastal capital*:

- (5) a. Beijing is a coastal capital.
 - b. (entailed by 5a:) Beijing is a capital.
 - c. (entailed by 5a:) Beijing is coastal.

Here's an analysis using eventualities:

In English, adjectives like *old* are polysemous between intersective and non-intersective:

- (6) a. Kim is an old friend of mine.
 - b. (entailed by 6a:) Kim is old.
 - c. (entailed by 6a:) My friendship with Kim is old.

These meanings are distinguished using pre- or post-modifiers in Spanish and Portuguese:

- (7) a. Kim é um velho amigo.
 - b. (entailed by 7a:) Kim is old.
 - c. Kim é um amigo velho.
 - d. (entailed by 7c:) My friendship with Kim is old.

References

[Bach, 1986] Bach, E. (1986). The algebra of events. Linguistics and Philosophy, 9(1), 5–16.

[Davidson, 1967] Davidson, D. (1967). The logical form of action sentences. In N. Rescher (Ed.), *The logic of decision and action* (pp. 81–94). Pittsburgh: University of Pittsburgh Press.