

# Preview of Period 7: Simple Machines and Mechanical Advantage

## 7.1 Levers

How do machines, such as levers, reduce the force needed to lift heavy objects?

## 7.2 Examples of Levers

How does the use of levers make our lives easier?

## 7.3 Lever Arm Length and Distance Moved

How does the length of the lever arm relate to the distance the ends of the arm move?

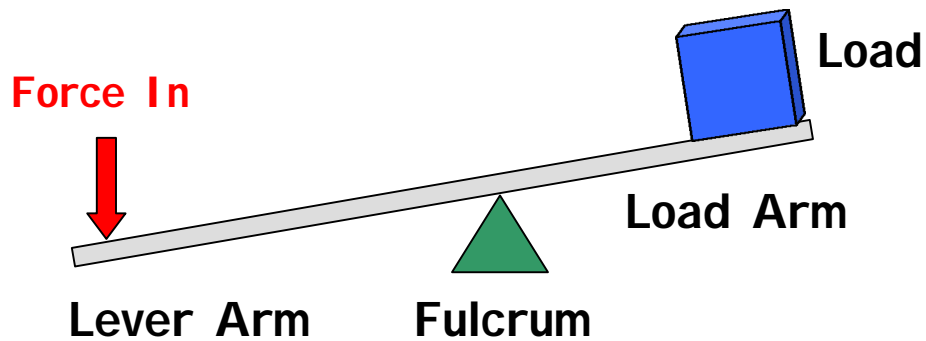
## 7.4 How Do Levers Work?

Why can we use the length of the lever and load arms to find the forces on the lever?

## 7.5 Mechanical Advantage

What is the theoretical and actual mechanical advantage of a simple machine?

## Act. 7.1: Levers – Fulcrums and Forces

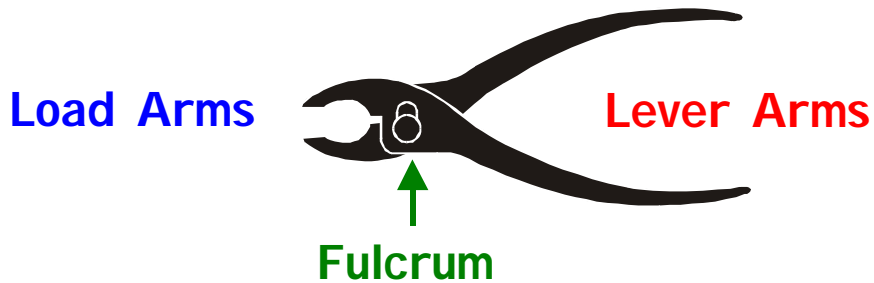


Machines allow you to lift heavy objects easily.

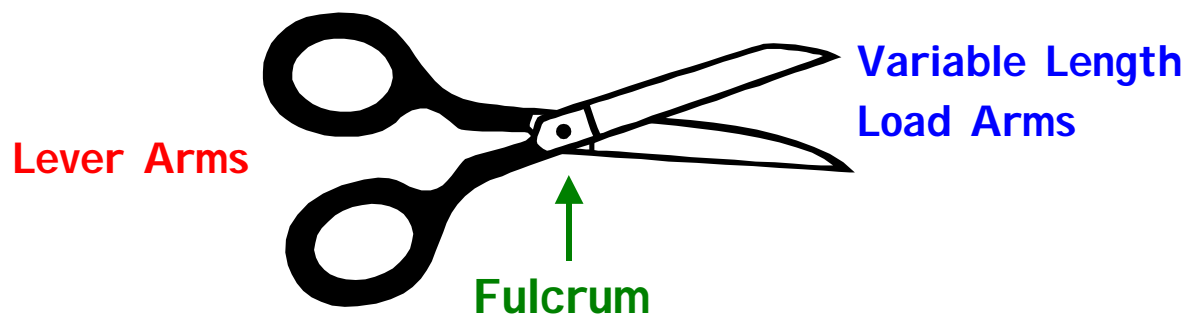
You can apply **a small force in** over a long lever arm to produce **a large force out** over a short load arm.

## Examples of Levers

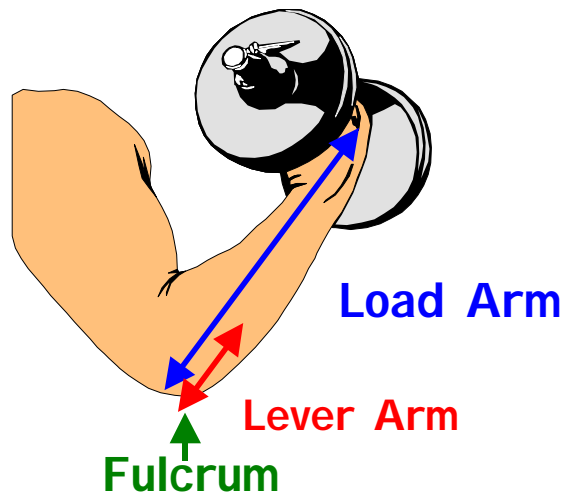
### Pliers



### Scissors



### Human Arm



## Act 7.3: Lever Arm Length and Distance Moved

What is the relationship between

- ♦ the length of a **lever arm** and the distance the end of the lever arm moves?
- ♦ the length of the **load arm** and the distance the end of the load arm moves?

With your measurements, you can form two **ratios**:

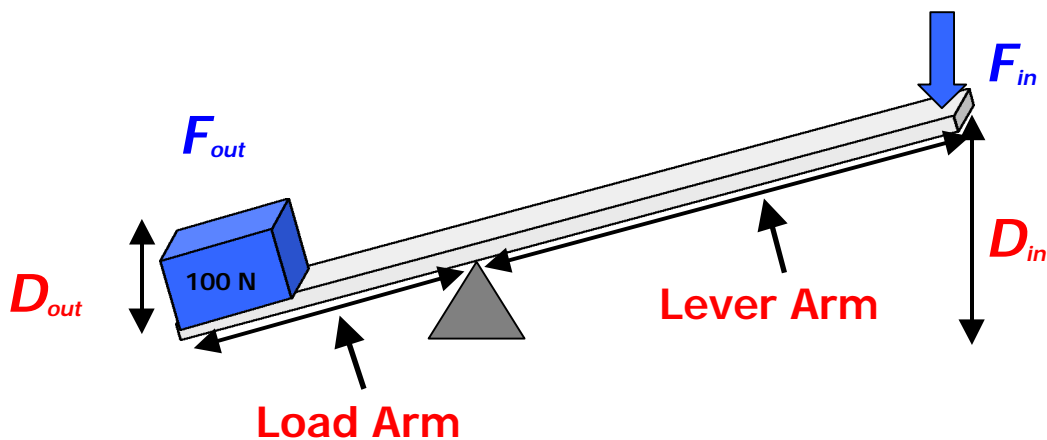
$$\frac{D_{in}}{D_{out}} \quad \text{and} \quad \frac{\text{lever arm}}{\text{load arm}}$$

**What is the relationship between these ratios?**

## Act 7.4: Another Way to Describe Levers

What is the relationship between

- ♦ the forces in and out and
- ♦ the distance the ends of the lever arms move?



$$F_{in} D_{in} = F_{out} D_{out}$$

## Calculations with Force and Distance

(Example 7.1)

Using a lever, you lift a 20 kg box a distance of 0.5 meters. If you apply a force of 50 newtons to the lever, over what distance must the lever move?

$$F_{in} D_{in} = F_{out} D_{out}$$

Solve the equation for  $D_{in}$  by dividing both sides by  $F_{in}$

$$\frac{\cancel{F_{in}} D_{in}}{\cancel{F_{in}}} = \frac{F_{out} D_{out}}{F_{in}} =$$

$$\frac{20 \cancel{\text{kg}} \times 9.8 \cancel{\text{m/s}^2} \times 0.5 \text{ m}}{50 \cancel{\text{kg}} \cancel{\text{m/s}^2}} = 2.0 \text{ m}$$

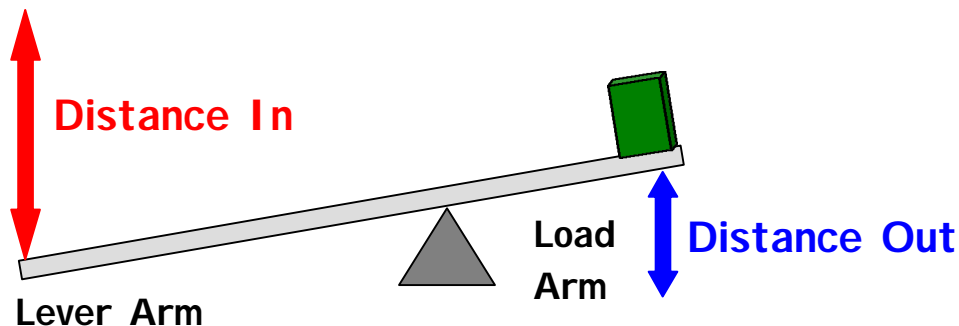
## Act 7.5: Theoretical Mechanical Advantage

Theoretical mechanical advantage assumes  
**no energy is wasted by frictional forces.**

$$MA_{theoretical} = \frac{D_{in}}{D_{out}}$$

$D_{in}$  = distance you move the machine

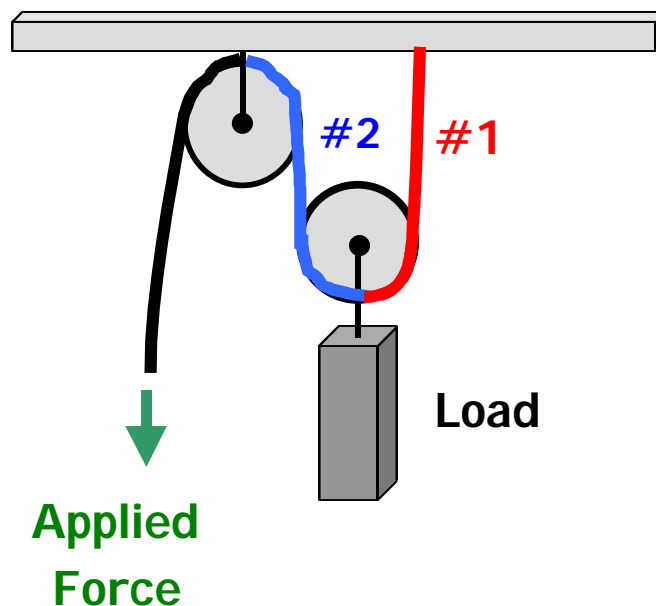
$D_{out}$  = distance the load moves



# Theoretical Mechanical Advantage of

## Pulleys or Block and Tackles

The theoretical mechanical advantage of a pulley system equals the number of **directly attached** rope segments supporting the load. (The rope you pull on to apply force does not count.)



This pulley system has two attached ropes, so its theoretical mechanical advantage = 2



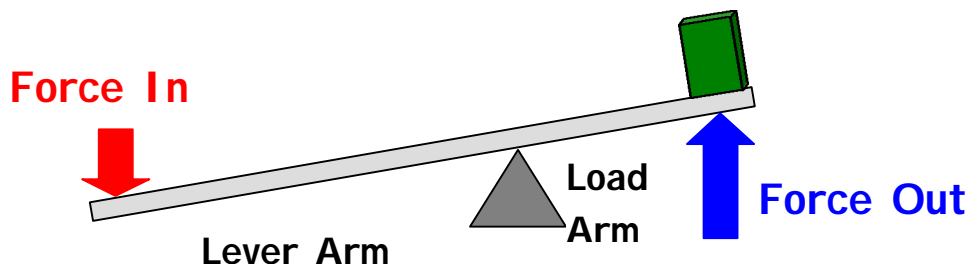
## Act 7.6: Actual Mechanical Advantage

The actual mechanical advantage of a machine takes into account the energy wasted by frictional forces.

$$MA_{actual} = \frac{F_{out}}{F_{in}}$$

$F_{in}$  = force you exert on the machine

$F_{out}$  = force exerted on the load by the machine



$$\text{Force Out} = \text{Weight of Load} = M g$$

# Summary of Mechanical Advantage of Machines

## Theoretical Mechanical Advantage

$$MA_{theoretical} = \frac{D_{in}}{D_{out}}$$

$D_{in}$  = distance you move the machine

$D_{out}$  = distance the load moves

**Theoretical mechanical advantage** is an ideal case with no energy wasted by frictional forces.

## Actual Mechanical Advantage

$$MA_{actual} = \frac{F_{out}}{F_{in}}$$

$F_{in}$  = the force you exert on the machine

$F_{out}$  = the force exerted on the load by the machine

**Actual mechanical advantage** takes into account the energy wasted by frictional forces.

## Period 7 Summary

**7.1:** Machines make tasks easier by exerting a smaller force over a larger distance.

The amount of work done is NOT reduced.

**7.2-3:** If the energy wasted by frictional forces is ignored, Work in = Work out, or

$$F_{in} \times D_{in} = F_{out} \times D_{out}.$$

Levers consist of load arms and lever arms. The lever pivots on a fulcrum.

The placement of the fulcrum determines the amount of force needed to move a load.

The ratio of the distance the ends of the lever arms move equals the ratio of the lengths of the arms.

$$\frac{D_{in}}{D_{out}} = \frac{L_{lever}}{L_{load}}$$

Therefore,  $F_{in} \times L_{lever} = F_{out} \times L_{load}$

**7.5:** Theoretical mechanical advantage =  $D_{in}/D_{out}$

Actual mechanical advantage =  $F_{out}/F_{in}$

Actual MA takes into account the energy wasted by friction; theoretical MA does not.

## Period 7 Review Questions

- R.1** Why do grass clippers have long blades, but tin snips have short blades?
- R.2** Can you lift someone heavier than yourself with a lever? Why or why not?
- R.3** Why do we discuss simple machines in terms of the lever and load arm lengths instead of the relative distances in and out that the arms move?
- R.4** Explain the difference between theoretical mechanical advantage and actual mechanical advantage.
- R.5** How can you find the theoretical mechanical advantage of a lever? Of a pulley system?
- R.6** How can you find the actual mechanical advantage of a lever or a pulley system?