Dr. Zellmer Time: 7 PM Sun. 40 min Chemistry 1250 Spring Semester 2022 Quiz X T, R April 10, 2022

 Name
 KEY
 Rec. TA/time

1. (5 pts) A reaction with activation energy of 123 kJ/mol is originally at 38.0 °C. At what <u>temperature</u>, in °C, will its rate constant be double that at 38.0 °C?

Use Arrhenius equation in its two point form.

 $\ln\left(\frac{k_{2}}{k_{1}}\right) = -\frac{E_{a}}{R} \left(\frac{1}{T_{1}} - \frac{1}{T_{2}}\right) \qquad T \text{ in KELVIN, } R = 8.314 \text{ J/mol} \cdot \text{K}$   $k_{1} \qquad T_{1} = 38.0^{\circ}\text{C} = 311.15 \text{ K} \quad (\text{using } 273.15 \text{ to convert to kelvin})$   $T_{2} = ?$ 

 $E_a = 123 \text{ kJ/mol} = 123 \text{ x } 10^3 \text{ J/mol}$  (units for  $E_a$  must agree with those of R)

$$\ln\left(\frac{2k_{1}}{k_{1}}\right) = \frac{123 \times 10^{3} \text{ J/mol}}{8.314 \text{ J/mol} \cdot \text{K}} \left(\frac{1}{311.15 \text{ K}} - \frac{1}{T_{2}}\right) \text{ Note: don't need numerical values for } k_{1} \& k_{2}$$

$$0.693 = 1.4\underline{7}94 \times 10^{4} \text{ K} \left(\frac{1}{311.15 \text{ K}} - \frac{1}{T_{2}}\right)$$

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$$4.6852 \times 10^{-5} \text{ K}^{-1} = \frac{1}{311.15 \text{ K}} - \frac{1}{T_{2}}$$

$$3.16703 \times 10^{-3} \text{ K}^{-1} = 1/T_{2}$$

$$T_{2} = 315.753 \text{ K}; \quad T_{2} = 315.6 \text{ K} - 273.15 = 42.603 \text{ }^{\circ}\text{C} = 42.6 \text{ }^{\circ}\text{C}$$

2. (9 pts) Consider the following hypothetical reaction and the established rate law. Select an acceptable mechanism.

 $A_2 + B_2 \rightarrow X + Y$  rate = k  $[A_2] [B_2]/[Y]$  (experimentally determined rate law)

The rate law is written based on the slow (rate determining) step

a)  $2^{nd}$  step is the slow step

$$A_2 \rightleftharpoons 2 A \qquad (fast)$$
$$B_2 + A \rightarrow C \qquad (slow)$$
$$C + A \rightarrow X + Y \qquad (fast)$$

 $r = k_2 [B_2] [A]$  A is an intermediate - try to replace it using conc. of reactants &/or product Use 1<sup>st</sup> fast equilibrium step to determine [A]

$$r_{\text{forward,1}} = r_{\text{reverse,1}}$$

$$k_{1} [A_{2}] = k_{.1} [A]^{2}$$

$$[A] = \left(-\frac{k_{1}}{k_{.1}}\right)^{1/2} \bullet [A_{2}]^{1/2} \quad \text{substitute this expression for } [A] \text{ into } r \text{ from step } 2$$

$$r = k_{2} [B_{2}] [A]$$

$$r = k_{2} [B_{2}] \{ (-\frac{k_{1}}{k_{.1}})^{1/2} \bullet [A_{2}]^{1/2} \}$$

$$r = k_{2} (-\frac{k_{1}}{k_{.1}})^{1/2} [B_{2}] [A_{2}]^{1/2} = k [B_{2}] [A_{2}]^{1/2}$$

This does not agree w. exp. rate law given - NOT the proper mechanism

b) 2<sup>nd</sup> step is the slow step

 $A_2 + B_2 \rightleftharpoons C$  (fast)

 $C \rightarrow X + Y$  (slow)

 $r = k_2 [C]$  C is an intermediate - try to replace it using conc. of reactants &/or product Use 1<sup>st</sup> fast equilibrium step to determine [C]

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## 7. (Cont.)

$$r_{1} = r_{.1}$$

$$k_{1} [A_{2}] [B_{2}] = k_{.1} [C]$$

$$[C] = \left(\frac{k_{1}}{k_{.1}}\right) [A_{2}] [B_{2}]$$
substitute this expression for [A] into r from step 2
$$r = k_{2} [C]$$

$$r = k_{2} \{ \left(\frac{k_{1}}{k_{.1}}\right) [A_{2}] [B_{2}] \} = \left(\frac{k_{2} k_{1}}{k_{.1}}\right) [A_{2}] [B_{2}] = k [A_{2}] [B_{2}]$$
This does not converge on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement has been decomposed on the view of the measurement of the measurement has been decomposed on the view of the measurement o

This does not agree w. exp. rate law given - NOT the proper mechanism

**c**)  $2^{nd}$  step is the slow step

$$A_2 \rightleftharpoons C + Y$$
 (fast)

$$B_2 + C \rightarrow X$$
 (slow)

 $r = k_2 [B_2] [C]$  C is an intermediate - try to replace it using conc. of reactants &/or product Use 1<sup>st</sup> fast equilibrium step to determine [C]

 $r_{1} = r_{.1}$   $k_{1} [A_{2}] = k_{.1} [C] [Y]$   $[C] = \frac{k_{1}}{k_{.1}} \cdot \frac{[A_{2}]}{[Y]}$ substitute this expression for [C] into r from step 2  $r = k_{2} [B_{2}] [C] - rate law from above$   $r = k_{2} [B_{2}] \left\{ \frac{k_{1}}{k_{.1}} \cdot \frac{[A_{2}]}{[Y]} \right\}$   $r = \left\{ \frac{k_{2} k_{1}}{k_{.1}} \right\} \cdot \frac{[B_{2}] [A_{2}]}{[Y]}$   $r = k \cdot \frac{[B_{2}] [A_{2}]}{[Y]}$ 

This agrees w. exp. rate law given - It IS the proper mechanism

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## 7. (Cont.)

d) 1st step is the slow step

$$B_{2} \rightarrow 2 B \qquad (slow)$$

$$B + A_{2} \rightarrow C \qquad (fast)$$

$$C + B \rightarrow X + Y \qquad (fast)$$

 $r = k_1 [B_2]$  This does not agree w. exp. rate law given - NOT the proper mechanism

e) 2<sup>nd</sup> step is the slow step

$$B_2 \rightleftharpoons 2B \qquad (fast)$$
$$B \rightarrow C + Y \qquad (slow)$$
$$A_2 + C + B \rightarrow X \qquad (fast)$$

 $r = k_2 [B]$  B is an intermediate - try to replace it using conc. of reactants &/or product Use 1<sup>st</sup> fast equilibrium step to determine [B]

 $r_{1} = r_{.1}$   $k_{1} [B_{2}] = k_{.1} [B]^{2}$   $[B] = \left(-\frac{k_{1}}{k_{.1}}\right)^{1/2} \bullet [B_{2}]^{1/2}$ substitute this expression for [B] into r from step 2  $r = k_{2} [B]$   $r = k_{2} \left\{ \left(-\frac{k_{1}}{k_{.1}}\right)^{1/2} \bullet [B_{2}]^{1/2} \right\}$   $r = k_{2} \left(-\frac{k_{1}}{k_{.1}}\right)^{1/2} [B_{2}]^{1/2} = k [B_{2}]^{1/2}$ 

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7. (Cont.)

# <u>Note</u>: Anything that appears in the rate law must appear as a <u>reactant</u> in the <u>slow</u> step or as a <u>reactant</u> and/or <u>product</u> in the fast <u>equilibrium</u> steps which <u>precede</u> the <u>slow</u> step.

The fast steps which follow the slow step have no effect on the rate law. They are only there to make sure all steps add up to the balanced equation.

This brings up a good point that makes this type of problem easier to approach.

First look at mech. w. slow step 1 - easy to determine these rate laws (only the reactants in this step will appear in the rate law).

Then look at remaining mech.

To get a rate law with a  $\frac{1}{2}$  power (e.g.  $[A_2]^{1/2}$ ) there would need to be the following type of elementary step as a fast step preceding the slow step.

$$A_{2} \rightleftharpoons 2 A \qquad (fast)$$

$$r_{forward,1} = r_{reverse,1}$$

$$k_{1} [A_{2}] = k_{-1} [A]^{2}$$

$$[A] = \left(-\frac{k_{1}}{k_{-1}}\right)^{1/2} \bullet [A_{2}]^{1/2}$$

Also, look at the following mechanism: Get C in the rate law based on step 2. Then if you look at step 1 you will get something for [C] involving A and X (a product). X will appear in the denominator in the rate law. You really shouldn't have to go through the math to see you will wind up with X in the rate law. In order to get a product in the rate law the first step can't be the rate determining step.

$$A \rightleftharpoons C + X$$
 (fast)

 $B + C \rightarrow Y$  (slow)

3. (9 pts) The following mechanism has been proposed for the gas phase reaction between  $H_2$  and CO.

$ \begin{array}{cccc}                                  $	(fast, equilibrium)		
$H + CO \xrightarrow{k_2} HCO$	(slow)		
$H + HCO \rightarrow H_2CO$	(fast)		
$H_2(g) + 2 H(g) + CO(g) + HCO(g) \rightarrow 2 H(g)$	+ HCO(g) + $H_2CO(g)$		
(a) What is the overall reaction? (cancel things	s that appear on both sides)		
$H_2(g) + CO(g) \rightarrow H_2CO(g)$			
(b) What are the <u>intermediates</u> in the mechanism?			
H(g) & HCO(g) Things that don't appear in contract intermediates or catalysts. In and used in following step(s)	overall eqn., but appear in mechanism are either ntermediates appear for the first time as a product ) as a reactant.		
(c) What is the <u>molecularity</u> of each elementary st	tep? # reactant molecules in a step		
Step 1Step 2uni <molecular< td="">bi<molecular< td="">(1 reactant molecule)(2 read)</molecular<></molecular<>	ecular ctant molecules)		
(d) What is the <b><u>rate-determining</u> step</b> (explain wh	ny)?		
Step 2 - slowest step rate for entire rxn ca	n <u>NOT</u> be <b>faster</b> than <u>SLOWEST step</u> in mech.		
(e) What is the <u>rate law</u> predicted by this mechani	sm?		
$r = k_2 [H] [CO]$ based on reactants in step 2 (slowest, rate-determining step)			
Can't have intermediate, H, in the rate law - use step 1 (fast equilibrium step) to find [H]			
For step 1			
$rate_{forward 1} = rate_{reverse 1}$	$\mathbf{r} = \mathbf{k}_2 [\mathbf{H}] [\mathbf{CO}]$		
Write rate law for each rate	$r = \frac{1}{2} \left( \frac{1}{2} \frac{1}{2} \right) \left[ \frac{1}{2} \right]^{\frac{1}{2}} \left[ \frac{1}{2} \right]^{\frac{1}{2}}$		
$k_1 [H_2] = k_{-1} [H]^2$	$\Gamma = K_2 \{ (K_1/K_{-1}) [\Pi_2] \} [CO]$		
solve for [H]	$\mathbf{r} = \mathbf{k}_2 (\mathbf{k}_1 / \mathbf{k}_{-1})^{1/2} [\mathbf{H}_2]^{1/2} [\mathbf{CO}]$		
$[H] = \{ (k_1/k_1) [H_2] \}^{1/2}$	$\mathbf{r} = \mathbf{k} [\mathrm{H}_2]^{1/2} [\mathrm{CO}]$		
	where, $k = k_2 (k_1/k_{-1})^{1/2}$		

Substitute this into rate eqn base on step 2

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4. (3 pts) Given the following mechanism, which answer below contains all species which may be classified as **catalyst(s)** in the formation of XO<sub>2</sub> from X and O<sub>2</sub> (X + O<sub>2</sub>  $\rightarrow$  XO<sub>2</sub>)?

 $X + O_2 \longrightarrow XO_2$  (balanced equation)

Mechanism below:

intermediates: XO, YO, Y, ZO

Appear for the <u>first</u> time as a <u>product</u> and <u>used</u> in <u>subsequent</u> step as a <u>reactant</u>.

catalysts: YO<sub>2</sub>, Z

Appear for the <u>first</u> time as <u>reactant</u> and <u>reproduced</u> in <u>subsequent</u> step as a <u>product</u>.

- 5. (3 pts) Which response contains all the following statements that are **TRUE** and no false statements?
  - 1. From the Arrhenius equation one can say that the **rate constant** always <u>decreases</u> as temperature <u>rises</u>.
  - 2. The activation energy, E<sub>a</sub>, for a reaction generally does **not** change as temperature changes (i.e. E<sub>a</sub> is treated as a constant).
  - 3. The activation energy,  $E_a$ , is usually about the same as  $\Delta H$  (or  $\Delta E$ ) for a reaction.
  - 4. A catalyst increases the rate of a reaction by lowering the activation energy, E<sub>a</sub>.
  - 5. A catalyst increases the kinetic energy of the reactants.
  - a) 5 b) 1, 3 c) 3, 5 d)\* 2, 4 e) 3, 4, 5

The true statements are bolded and the false statements have been corrected.

 $\underline{\mathbf{D}}$  (2 & 4 are both correct)

1) F: $k = 1$	A $e^{-(Ea/RT)}$	Arrhenius equ	n.	
As T <u>inc</u> .,	$E_a/RT$ dec,	e <sup>-(Ea/RT)</sup> inc.,	k <u>inc</u> .,	rate <u>inc</u> $(r \propto k)$
T dec	$E_a/RT$ inc.	e <sup>-(Ea/RT)</sup> dec	k dec	rate dec $(r \propto k)$

An inc. in T causes an inc. in K.E. so more molecules have KE > Ea and may therefore react



- 2) T: Ea is treated as a constant w. temp changes (generally does not change appreciably w. temp and is treated as being constant).
- 3) F: There is no direct relationship between size of Ea and  $\Delta H (\Delta E)$  other than  $\Delta E = Ea_{for} Ea_{rev}$

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- 5. (cont.)
  - 4) T: Catalyst <u>inc</u> rxn rate by <u>lowering</u> Ea so that at the same temp more molecules have KE > Ea. A catalyst lowers the "hill" (rxn barrier) so it takes less energy to get over (through the transition state, TS).

Catalysts do not shift the equilibrium toward products. Catalysts speed up the rate at which equilibrium is reached but do <u>not</u> effect the position of equilibrium (i.e. Amounts of reactant and product at equilibrium). Catalyst <u>inc</u> rxn rate by <u>lowering</u> Ea so that at the same temp more molecules have KE > Ea. A catalyst lowers the "hill" (rxn barrier) so it takes less energy to get over (through the transition state, TS). Can use the Arrhenius eqn to see this.

 $k = A e^{-(Ea/RT)}$  Arrhenius eqn.

As E <sub>a</sub> <u>inc</u> .,	$E_a/RT$ inc,	e <sup>-(Ea/RT)</sup> dec.,	k <u>dec</u> .,	rate <u>dec</u> $(r \propto k)$
E <sub>a</sub> <u>dec</u> .,	$E_{a}/RT$ dec,	e <sup>-(Ea/RT)</sup> inc.,	k <u>inc</u> .,	rate <u>inc</u> ( r ∝ k )



The rate of a reaction depends **ONLY** on

 $E_a$  and not whether a reaction is exothermic or endothermic or how exothermic or endothermic the reaction is. An endothermic reaction will be faster than an exothermic reaction if the  $E_a$  for the endothermic reaction is smaller than the  $E_a$  for the exothermic reaction.

Reaction 1	Reaction 2
$\Delta H = -30 \text{ kJ}$	$\Delta H = 20 \text{ kJ}$
$E_a = 20 \text{ kJ}$	$E_{a} = 10 \text{ kJ}$
u	faster

5) F: A catalyst does not necessarily inc. the KE of the reactants. As a matter of fact, in heterogeneous catalysis when a solid catalyst is involved the reactants adsorb to the surface of the solid catalyst and likely will actually **slow down**, so **KE** would **dec**.

6. (3 pts) The equilibrium constant for the following reaction is 70 at 350 °C. A system at equilibrium has  $[N_2] = 0.200 \text{ M}$  and  $[NH_3] = 0.118 \text{ M}$ . What is the  $[H_2]$ ?

$$N_2(g) + 3 H_2(g) \neq 2 NH_3(g)$$

$$K_{c} = \frac{[NH_{3}]^{2}}{[N_{2}] [H_{2}]^{3}} = 70$$
  

$$[H_{2}] = \left(\frac{[NH_{3}]^{2}}{K_{c} [N_{2}]}\right)^{1/3}$$
  

$$[H_{2}] = \left(\frac{(0.118)^{2}}{(70) (0.200)}\right)^{1/3}$$
  

$$= 0.0998 M$$
  

$$= 0.10 M$$

7. (3 pts) The properly written heterogeneous  $K_c$  expression for the following reaction as written is:

$$NiCO_{3}(s) + 2 H^{+}(aq) \rightleftharpoons Ni^{2+}(aq) + CO_{2}(g) + H_{2}O(l)$$

Pure solids and liquids do <u>NOT</u> appear in the equilibrium constant expression (or in Q).

$$K_{c} = \frac{[Ni^{2+}] [CO_{2}]}{[H^{+}]^{2}}$$
  
NiCO<sub>3</sub> (s) & H<sub>2</sub>O (l) do NOT appear in K

- gases & solutes in solution do appear in the expression for K.

8. (5 pts) Given the following two equilibrium reactions,

(1) 
$$2 \operatorname{NO}(g) + \operatorname{Br}_{2}(g) \neq 2 \operatorname{NOBr}(g) \quad K_{1} = 2.00$$
  
 $K_{1} = \frac{[\operatorname{NOBr}]^{2}}{[\operatorname{NO}]^{2} [\operatorname{Br}_{2}]}$   
(2)  $\operatorname{NO}(g) \neq \frac{1}{2} \operatorname{N}_{2}(g) + \frac{1}{2} \operatorname{O}_{2}(g) \quad K_{2} = 1.45 \times 10^{15}$   
 $K_{2} = \frac{[\operatorname{N}_{2}]^{1/2} [\operatorname{O}_{2}]^{1/2}}{[\operatorname{NO}]}$ 

What is the equilibrium constant, K<sub>3</sub>, for the reaction below,

(3)  $N_2(g) + O_2(g) + Br_2(g) \rightleftharpoons 2 \operatorname{NOBr}(g)$   $K_3$ 

 $K_{rev}$  for rev. rx is  $1/K_{for}$  (reciprocal of  $K_{for}$  for the forward rx)

Also, when multiply a rxn by some factor the K for the new rxn is equal to original K raised to the factor the rxn was multiplied by (multiplying by -1 reverses the rxn)

#### <u>Proof</u>

$$a A + b B \rightleftharpoons x X + y Y$$
  
 $K_1 = \frac{[X]^x [Y]^y}{[A]^a [B]^b}$ 

Multiply by n

$$(a•n) A + (b•n) B ∉ (x•n) X + (y•n) Y$$
$$K_{2} = \frac{[X]^{xn} [Y]^{yn}}{[A]^{an} [B]^{bn}} = (\frac{[X]^{x} [Y]^{y}}{[A]^{a} [B]^{b}})^{n} = K_{1}^{n}$$

Multiply by -1 reverses rxn. -  $a A + - b B \rightleftharpoons -x X + -y Y$ 

want (+) coeff - like in math switch reactants & products to other sides

 $x X + y Y \rightleftharpoons a A + b B$ 

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#### 8. (cont.)

When you add reactions together to get another reaction the K for the overall reaction equals the K's from the added reactions multiplied together.

$$Rxn 1 + Rxn 2 = Rxn 3$$
$$K_1 * K_2 = K_3$$

**Proof** 

(1)  $a A + b B \rightleftharpoons x X + y Y$  and (2)  $c C + d D \rightleftharpoons r R + s S$  $K_1 = \frac{[X]^x [Y]^y}{[A]^a [B]^b}$   $K_2 = \frac{[R]^r [S]^s}{[C]^c [D]^d}$ 

Add the two equations (reactions) to get a third equation (reaction)

 $aA + bB + cC + dD \rightleftharpoons xX + yY + rR + sS$ 

$$K_{3} = \frac{[X]^{x} [Y]^{y} [R]^{r} [S]^{s}}{[A]^{a} [B]^{b} [C]^{c} [D]^{d}} = (\frac{[X]^{x} [Y]^{y}}{[A]^{a} [B]^{b}}) * (\frac{[R]^{r} [S]^{s}}{[C]^{c} [D]^{d}})$$
  

$$K_{3} = K_{1} * K_{2}$$

To get reaction 3 for this question,

(3)  $N_2(g) + O_2(g) + Br_2(g) \rightleftharpoons 2 \text{ NOBr}(g)$ 

must first reverse rx 2 and multiply it by 2 and then add it to rxn 1

$$\begin{array}{rcl} (2)_{rev*2} & N_2(g) &+ & O_2(g) & \rightleftarrows & 2 \text{ NO } (g) & & K_{rev*2} &= K_2^{-2} \\ (1) & & 2 \text{ NO } (g) &+ & Br_2(g) & \rightleftarrows & 2 \text{ NOBr } (g) & & K_1 \\ & & & & \\ \hline & & & & \\ & & & N_2(g) &+ & O_2(g) &+ & Br_2(g) & \rightleftarrows & 2 \text{ NOBr } (g) & & K_3 \end{array}$$

$$K_3 = K_1 * K_{rev*2} = K_1 * K_2^{-2} = (2.00)(1.45 \times 10^{15})^{-2} = 9.51 \times 10^{-31}$$

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9. (4 pts) The equilibrium constant  $K_c$  for the following reaction at 1100 °C is 6.80 x 10<sup>51</sup>. What is  $K_p$ ?

$$B(\mathbf{s}) + 3/2 F_2(\mathbf{g}) \rightleftharpoons BF_3(\mathbf{g})$$
  
use  $K_p = K_c (RT)^{\Delta n}$  ( $\Delta n = \text{change in moles of } \mathbf{gas}$ )  
 $\Delta n = 1 - 3/2 = -1/2$  Do NOT include the solid (if you do then  $\Delta n = -3/2$ )  
 $K_c = \frac{[BF_3]}{[F_2]^{3/2}}$   $Kp = \frac{P_{BF3}}{(P_{F2})^{3/2}}$   
 $R = 0.08206 \text{ L-atm/mol-K}$  NOT 8.314 J/mol-K  
 $T = 1100^{\circ}\text{C} + 273 = 1373 \text{ K}$  (must be in kelvin)

$$K_{e} = 6.80 \text{ x } 10^{51}$$
  

$$K_{p} = K_{e} (\text{RT})^{-1/2}$$
  

$$= (6.80 \text{ x } 10^{51}) \{(0.08206) (1373)\}^{-1/2}$$

 $K_p = 6.40 \ge 10^{50}$ 

10. (5 pts) The following reaction is started with 2.000 moles of  $SO_3$  in a 2.000-L container. When equilibrium is reached there are 1.645 moles of  $SO_3$  in the container. What is the value of the equilibrium constant,  $K_C$ ? (Show the ICE table. You can use numbers or variables in your ICE table.)

$$2 \operatorname{SO}_{3}(g) \rightleftharpoons 2 \operatorname{SO}_{2}(g) + \operatorname{O}_{2}(g)$$
$$K_{C} = \frac{[\operatorname{SO}_{2}]^{2} \bullet [\operatorname{O}_{2}]}{[\operatorname{SO}_{3}]^{2}}$$

Concentration of **Products** in **Numerator** Concentration

Concentration of Reactants in Denominator

Use coefficients in balanced equation as the exponents of the concentrations.

Pure solids (s) and liquids  $(\ell)$  do not appear in the expression for K or Q.

The solution to the actual problem given is:

<u>Use ICE (equil.) table</u> (in Molarity when dealing w. K<sub>c</sub>)

initial change	2 SO <sub>3</sub> (g) 1.000 M -2x	$\begin{array}{c} \rightleftharpoons & 2 \operatorname{SO}_2(g) \\ & 0 \operatorname{M} \\ & + 2x \end{array}$	$\begin{array}{c} + & O_2(g) \\ & 0 M \\ & + x \end{array}$
equil	1.0000 - 2x	2x	Х
V –	$[SO_2]^2 [O_2]$	$(2x)^{2}(x)$	$4x^3$
$\mathbf{K}_{\mathrm{C}} = \mathbf{K}_{\mathrm{C}}$	$[SO_3]^2$	$(1.000 - 2x)^2$	$(1.000 - 2x)^2$

you know rxn must proceed to right (in forward direction) since starting with no SO<sub>2</sub> or O<sub>2</sub>. Conc. of SO<sub>3</sub> is 1.000 M since you have 2 mol/2 L. Must use Molarity in ICE table.

Can solve for x from the information given for the equilibrium concentration of SO<sub>3</sub>.

 $(1.000 - 2x) \approx 1.645 \text{ mol}/2.000 \text{ L} = 0.8225 \text{ M}$ 

 $x = 0.088 \underline{7}5 M$ 

$$K_{\rm C} = \frac{4x^3}{(1.000 - 2x)^2} = \frac{4(0.08875)^3}{\{1.000 - 2(0.08875)\}^2} = 4.13 \times 10^{-3} = 4.13 \times 10^{-3}$$

11. (3 pts) A plot of  $\ln(r)$  vs.  $\ln[A]$  has a slope of -2.5 and an intercept of -10.55. Determine the **rate** constant and order of the reaction for the rate law,  $r = k[A]^n$ .

 $r = k [A]^n$  k = rate constant n = order

Convert this to a linear equation.

Take the log of both sides, use the rules of logarithms and rearrange to make it look like an equation for a straight line. You can use either log or ln.

$$log(r) = log\{k[A]^n\} = log(k) + log\{[A]^n\} = log(k) + n log[A]$$
$$log(r) = n*log[A] + log(k) \quad or \quad ln(r) = n*ln[A] + ln(k)$$
$$y = m*x + b$$

Using the equation from (a) how do you graphically obtain k and n (i.e. what do you plot as x and y and what are n and k related to on the graph)?

The data you have is concentration, [A], and the corresponding rate. You take the log of each and plot log(r) vs log[A] (i.e. log(r) is on the y axis and log[A] is on the x axis) or ln(r) and ln[A].

if using log: log(k) = y-intercept $k = 10^{(y-int)}$ if using ln: ln(k) = y-intercept $k = e^{(y-int)}$ n = slope(The slope can be either positive or negative depending on the order.)n = -2.5ln(k) = -10.55 $k = e^{-10.55} = 2.6 \times 10^{-5} M^{3.5} \cdot s^{-1}$ 

(Assuming molarity and seconds for units.)

This was the problem I presented in lecture and told everyone to do and ask the TAs or me whether you did it correctly. Only a few people asked.